

# **SOLID-STATE DRIVE FOR SOLAR WATER PUMPS**

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By  
**M. K. BALACHANDER**


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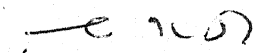
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CERTIFICATE

Certified that this work "Solid-State Drive for Solar Water Pumps" by M.K. Balachander is carried out under our supervision and is not submitted elsewhere for a degree.

  
( Dr. S.R. Doradla )  
Assistant Professor

  
( Dr. G.K. Dubey )  
Professor

Department of Electrical Engineering  
Indian Institute of Technology  
Kanpur, INDIA.

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## CONTENTS

Chapter		Page No.
1	INTRODUCTION	1
2	DIFFERENT MOTOR DRIVE CONFIGURATIONS FED BY SOLAR POWER	
	2.1 Introduction	3
	2.2 Centrifugal Pumps	8
	2.3 Solar Powered Drives	8
	2.3.1 Solar powered d-c motor	11
	2.3.2 Brush and commutatorless motor	12
	2.3.3 Synchronous motor	14
	2.3.4 Inverter fed single phase induction motor	14
	2.4 Conclusions	16
3	SOLID STATE SOLAR POWERED PUMP DRIVE	
	3.1 Introduction	18
	3.2 Inverter Circuits	20
	3.3 Chopper	30
	3.4 Step-up Chopper Including Commutation Circuit	36
	3.5 Overall Circuit Configuration	44
	3.6 Conclusions	46
4	DETAILS OF CONTROL-CIRCUIT FOR THE CHOPPER-INVERTER	
	4.1 Introduction	48
	4.2 Triggering Circuit for the Inverter	49
	4.3 Triggering Circuit for Chopper	54
	4.4 Conclusions	60

5	PERFORMANCE (SPEED VS TORQUE) CHARACTERISTICS OF 1- $\phi$ INDUCTION MOTOR FED THROUGH CURRENT SOURCE INVERTER	
	5.1 Introduction	61
	5.2 Determination of Different Modes in 1- $\phi$ Parallel Inverter with Series Diodes	62
	5.2.1 Mode I	66
	5.2.2 Mode II	67
	5.2.3 Mode III	68
	5.3 Determination of Torque Speed Chara- cteristics of a 1- $\phi$ Induction Motor	69
	5.3.1 Method of analysis	73
	5.4 Comparison of Predicted and Experimental Results	81
	5.5 Conclusions	86
6	CONCLUSIONS	87
	REFERENCES	89
	APPENDIX A	91

## LIST OF FIGURES

Fig. No.	Captions	Page No.
2.1(i)	Characteristic curves of a centrifugal pump	10a
2.1(ii)	Speed-torque curves; pump $n_s=1800$ , four pole motor	10b
2.1A	Solar powered D.C. motor	13
2.2	Brush and commutatorless motor	13
2.3	Synchronous motor	15
2.4	Inverter fed single phase induction motor	15
3.1	Block diagram for solar pump drive	19
3.2(a) (i), (ii)	Centre tapped supply	19
3.2(b)	Centre tapped load	19
3.2(c)	Single phase bridge	19
3.2(d)	Three phase bridge	25
3.3	Series inverter	25
3.4	Modified parallel inverter	25
3.4A	V-I characteristics of solar cell	31
3.5(a)	Basic chopper	32
3.5(b)	Waveforms of voltage and current	32
3.6	Chopper control strategies	34
3.7	Step down and boost chopper	37
3.8	Step up chopper	37
3.9	Complete chopper circuit	37
3.10	Different intervals of chopper	41
3.11(a)	Waveforms of voltage and current	42

Fig. No.	Captions	Page No.
3.11(b)	Oscillographs of voltage and current	43
3.12	Overall circuit diagram	45
4.1(a)	Block diagram of firing scheme for inverter	52
4.1(b)	Triggering pulses to thyristors in the 1- $\phi$ inverter	52
4.2	Detailed circuit diagram for the inverter	53
4.3(a)	Block diagram of firing scheme for chopper	57
4.3(b)	Triggering pulses to thyristors in the step-up chopper	58
4.4	Detailed circuit diagram for the chopper	59
5.1	Single phase current fed inverter with load	64
5.2	Equivalent circuit with $T_1$ conducting	64
5.3(a)	Waveforms for $\omega/\omega_0 = 1.0$ , $I_d = 1.0$ p.u. with different modes	70
5.3(b)	Oscillographs of voltage and current	71
5.4	Equivalent circuit of 1- $\phi$ induction motor	75
5.5	No-load magnetization characteristics	76
5.6	Equivalent circuit of 1- $\phi$ induction motor at synchronous speed	78
5.7	Variation of magnetizing reactance with exciting current	82
5.8(a)	Torque-speed characteristics of single phase machine with $I_d = 1.0$ p.u.	83
5.8(b)	Torque-speed characteristics of single phase machine with $I_d = 1.2$ p.u.	84
5.8(c)	Torque-speed characteristics of single phase machine with $I_d = 1.3$ p.u.	85

## ABSTRACT

With the rapid depletion of fossil fuels, the need for an alternative source of energy has become a necessity. In recent times, there has been an all round effort to tap the natural, abundant solar energy for several applications including rural water pumping. With the rapid development of semiconductor technology, solar water pump of about 1 kw for rural applications is presently considered for development in India. This thesis is concerned with the study and development of a simple, economical, efficient and reliable solid-state drive for a solar water pump besides reviewing other possible solid-state drives.

Among different solid state drives, the single-phase squirrel cage induction motor-current source inverter is quite competitive and ideally suited for such applications. step-up chopper is proposed to interpose between the solar cell voltage source and the inverter especially in times of low solar radiation levels. The chopper and the inverter were built and tested on a single-phase induction motor in the laboratory. Due to non-availability of solar cell array and pump, actual field test could not be undertaken.

The single-phase induction motor fed by current source inverter is analysed for torque-speed characteristics using equivalent circuit model. The actual torque-speed characteristics, are also obtained from the experimental set-up in the

laboratory. There is a close agreement between the experimental results and analytical results obtained using only the fundamental component of motor current.



## CHAPTER 1

### INTRODUCTION

Fossil fuels, which have been the main source of energy, are being consumed at an alarmingly increasing rate. This rate of consumption is bound to totally deplete these fuels in not too distant future. Solar energy, which is abundantly available is presently being considered as a potential energy source for several applications such as water and air heating, cold storage, grain drying, water pump etc. In India, where agriculture is the occupation of majority of the people, the solar energy, if utilized for irrigation will boost farm production. Therefore, there is an increasing awareness on the part of planners, to give top priority for developing a water pump. With the rapid development in semiconductor technology, the water pump run by an electric drive may prove to be more economical and efficient over the mechanical type.

The object of the present study is to develop a simple, reliable, economical drive for a solar water pump.

Chapter 2 describes the solar energy conversion and storage. Also it describes four possible motor drives for a solar pump and concludes with the choice of single phase inverter fed induction motor as the most desirable drive .

Chapter 3 describes the various types of 1- $\phi$  inverters and a modified parallel inverter is chosen for the present drive due to economic considerations. A step-up chopper which is needed

for keeping the input voltage to the inverter, constant, especially under low solar radiation level, is described and its working is explained.

In Chapter 4, the firing circuit required for both chopper and inverter is described. The important considerations for the successful operation of the complete circuit are also incorporated in the control circuit.

In Chapter 5, the current source inverter with the 1- induction motor as load is analysed for the current waveforms during different modes. Furthermore, a method of calculating torque-speed characteristics of the single-phase induction motor taking into account the effect of saturation of the magnetizing inductance has been presented. The predicted results are verified experimentally.

In Chapter 6, conclusions are drawn and suggestions for future investigations are mentioned.

## CHAPTER II

DIFFERENT MOTOR DRIVE CONFIGURATIONS FED BY  
SOLAR POWER

## 2.1 INTRODUCTION

Energy, without which both commerce and industry will come to standstill, comes from fossil fuels like coal, oil etc, and Tidal, Geothermal and Nuclear power sources. Fossil fuel resources are now being consumed at an enormous and continuously increasing rate. Once used, these are replenished forever.

Nuclear power source, which can provide power level at the present world consumption for a very long time, has waste products to be disposed which will create health hazards and a lot of precautions have to be taken against it. Thus an alternative power source which is more permanent and safe is found in solar energy. Solar energy is readily available, well distributed, inexhaustible for all practical purposes and has no polluting effects upon the environments when converted and utilized (1). The solar energy intercepted by the earth and converted at 10% efficiency could provide the same power which is consumed now, perpetually (2).

Solar energy is intermittent, hence the energy has to be used directly. Alternatively, the energy can be stored and used later, when the sun is not shining. The direct conversion of solar energy is achieved by using collectors. The sun's radiation as ordinarily received is not hot enough to be of much technical use. It must be concentrated from a large area onto a small heating surface, or it must be retained in a heat trap so that the heated object does not lose its heat rapidly. This type of collector, called the focussing type, requires direct sunlight and it must be movable, to follow the sun. The second type called the non-focussing collector, cannot give such high temperature as the first. However, they are not restricted to clear sunny days. They can be used in bright cloudy weather too. Moreover, they need not be moved (3).

The solar energy can also be stored in the form of (i) Potential energy, (ii) Heat energy, (iii) Electrical energy. It has been claimed that higher efficiency can be achieved if stored in electrical form (3). Solar cells are used to convert solar power to electrical power. Solar batteries consist of an array of solar cells. A solar cell is made by a single crystal of silicon, sandwiched in between layers with impurities of trivalent boron and pentavalent arsenic to give p-n junction. It can convert 10-15% of the solar energy directly into electricity without the chemical

consumption of any material. There are several factors which limit the efficiency to the above said value. Some of the factors are as follows :

- a) Loss of radiation energy through reflection from silicon surface
- b) Losses through recombination processes
- c) Dissipation of a part of electrical energy within the cell
- d) Losses arising from the fact that not all the radiation from the sun is in a wavelength region that will provide photons with an energy, sufficient to be effective in the needed process, while some photons have too much energy which is lost as heat (3).

In future, solar power stations would be built in the vicinity of farms, tapping the solar energy through large number of solar cell arrays. This power will be made available for agricultural purposes.

With the improvement in semiconductor technology, it is possible to achieve still higher efficiency with the solar cells. Furthermore, the large scale production of solar cells can lower the cost.

The solar energy, at about 10% efficiency can deliver as much power as is needed now. This power can be used for various applications such as water heating, house heating, bakery, distillation, refrigeration and air conditioning, cooking, furnace, mechanical power, pumps, turbines etc. Among

the possible uses of solar energy, the lifting of water for drinking or irrigational purposes is of interest in dry regions and other rural areas. Requirements of small scale irrigation and domestic use are well within the reach of solar energy pumps.

India, being essentially an agricultural country with 70% of the population living in rural areas, require very less energy. According to statistics (4) , the average power required in villages is 150 kw hr for energizing irrigation pumps, for lighting, for cooking etc. As the villages are widely dispersed from the industrial belt, it is most uneconomical to electrify them. Thus solar energy offers a viable solution. If the solar energy could be converted to mechanical energy to drive irrigation pumps and/or to light homes, the rural scene in India would have a new future with a boost to agricultural production.

It has been calculated (4) that only 25% of the cultivation land is irrigated. Of this, 50% is served by tube-wells, ponds or such minor irrigation schemes. Due to the present oil crisis, the need for alternative energy has risen and development and fabrication of solar pumps have received top priority in India. Thus the main emphasis in the India Solar Energy programme is on

- a) research and development of 2-5 hp solar pumps, with choice of either using it as water pump and when not required, as a generator for lighting, etc.

- b) development and installation of 19-100 kw solar power plants.

In this thesis, a small pump drive is proposed for possible application in rural agriculture which is pertaining to the first part mentioned above. The second part being of large scale application is not the subject of the present study.

A solar water pump, in general, requires a motive force to drive it. The motive power consists of three main parts :  
(i) Collector, (ii) Storage device, (iii) Motor drive. The first two parts are considered in the earlier paragraphs. Before the motor drive is discussed, it would be in order to present some details about various types of pumps.

An important factor which is to be considered before using the solar energy, is the economic factor. The system must be competitive with the prevailing costs of power stations. The first economic characteristic of most existing solar equipment is the combination of high initial investing costs and low operating costs. Since little or no purchased energy is consumed, the operating cost for solar equipment can be negligible, or atleast considerably lower than that of fuel burning or power using device. And as the less expensive fuels are depleted, and cost of pollution free power station go up, the economic justification of alternate power sources increases.

## 2.2 CENTRIFUGAL PUMPS

Solar pumps now-a-days are finding widespread use in irrigation. The irrigation pumps, which play an important part in making vast areas of land agriculturally productive, take water from surface sources or sub-surface sources and pump it to the point of application. Centrifugal pumps are commonly used for irrigation. Table I shows different pumps and their important features and pump curves are shown in Fig.2.1.

The prime movers used in irrigation installations are (i) Diesel engines, (ii) Gas engines, and (iii) Electric motors. The use of electric motors is limited only to places where power supply is available. In India, the power supply distribution to all the cultivation land is a formidable task on the part of the planners. Therefore, diesel and gas engines are extensively used for pumping water either from surface or from subsurface to farms. Because of the recent oil crisis, the price of gas and diesel is increasing year by year. The supply of fuel to the farmers is not guaranteed, which will affect the farm production. Thus, in India, solar energy has indeed much relevance.

## 2.3 SOLAR POWERED DRIVES

Electric motors are the most economical primemovers if reliable source of electric power is available and when the cost of bringing it to the pumping station is not prohibitive. Four schemes, using solar power to run a centrifugal pump,



Table I : Different centrifugal pumps and their features

CLASS	TYPE	HEAD ft	REMARKS
Propellar pumps	a) Vertical single stage	Low heads upto 30 ft	Used mainly for irrigation and drainage
	b) Horizontal axial flow	Very low heads upto 15 ft	Used mainly for pumping large volumes against low heads
Volute pumps	Vertical, Horizontal, End Suction, Bottom Suction	Total head exceeds 45 ft	Used to pump from surface sources and are mounted either in pits or on slabs or floors depending on the application
Deep well Turbine pump	Vertical shaft single suction	High heads (around 100 ft)	Used primarily for irrigation to pump water from subsurface source into distribution system
Submersible turbine pump	Vertical or horizontal	High heads (around 100 ft)	Used for high head applications where long intermediate shafts are undesirable
Portable pumps	"	Low heads (around 30 ft)	Used both in drainage and irrigation work. Such pumps are of small capacity and economical. Can be used as submersible type also.

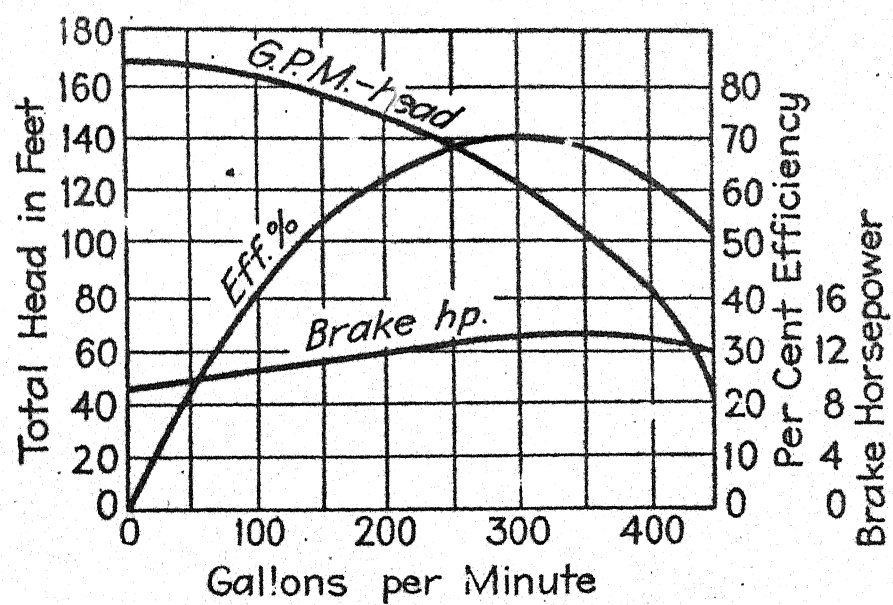


Fig. 2.1(i) Characteristic curves of a centrifugal pump

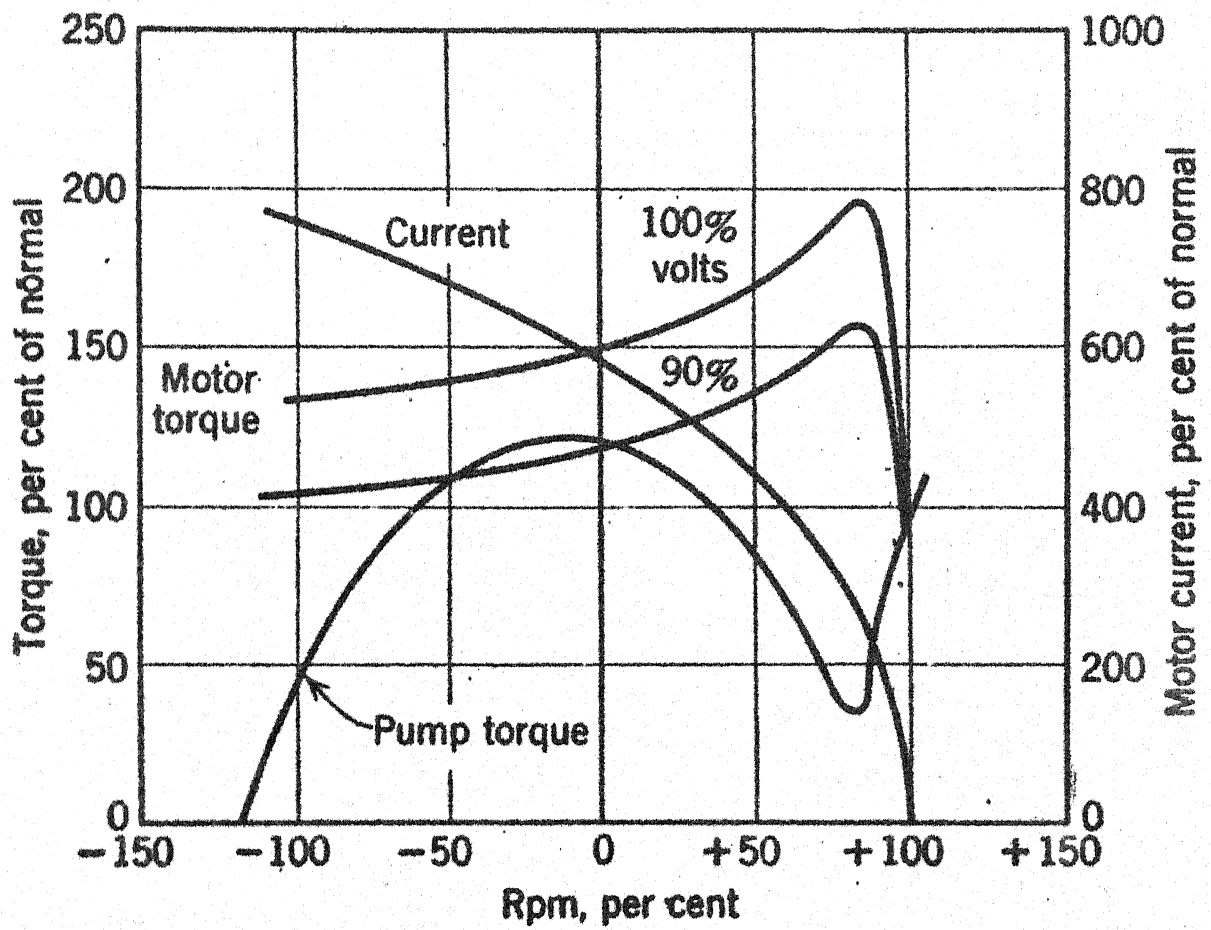


Fig. 2.1(ii) Speed-torque curves: pump  $n_s = 1800$ , four pole motor

are compared and the most economical system is chosen.

### 2.3.1 Solar Powered d.c. Motor

Figure 2.1A shows the schematic diagram of a motor photovoltaic converter system. The d.c. motor-centrifugal pump set fed by solar power had been operationally tested and the performance was reported to be satisfactory (6,7).

In France, a water pump drive powered by solar cells has been developed (8). The solar cell array consists of 56 photovoltaic panels each producing 10.7 W at 25°C. The optimum operation voltage was found to be 32 V, thus connecting 2 panels in series and 28 of these in parallel. The total current delivered is 20 A and total power is 500 W. The low voltage operation has been preferred because a cell deficiency or a shading effect on a cell has a negligible effect on the array output. The motor ratings were 32 V, 14 A, 1600 rpm and 500 W.

The main drawback with the d.c. motors is that the commutator and brushes require frequent maintenance and replacement. It also requires adequate protection against the large voltage in the solar cell array, if any. If the voltage drop in the solar cell array is quite large, the motor characteristics will suffer and may lead to the damage of the motor.

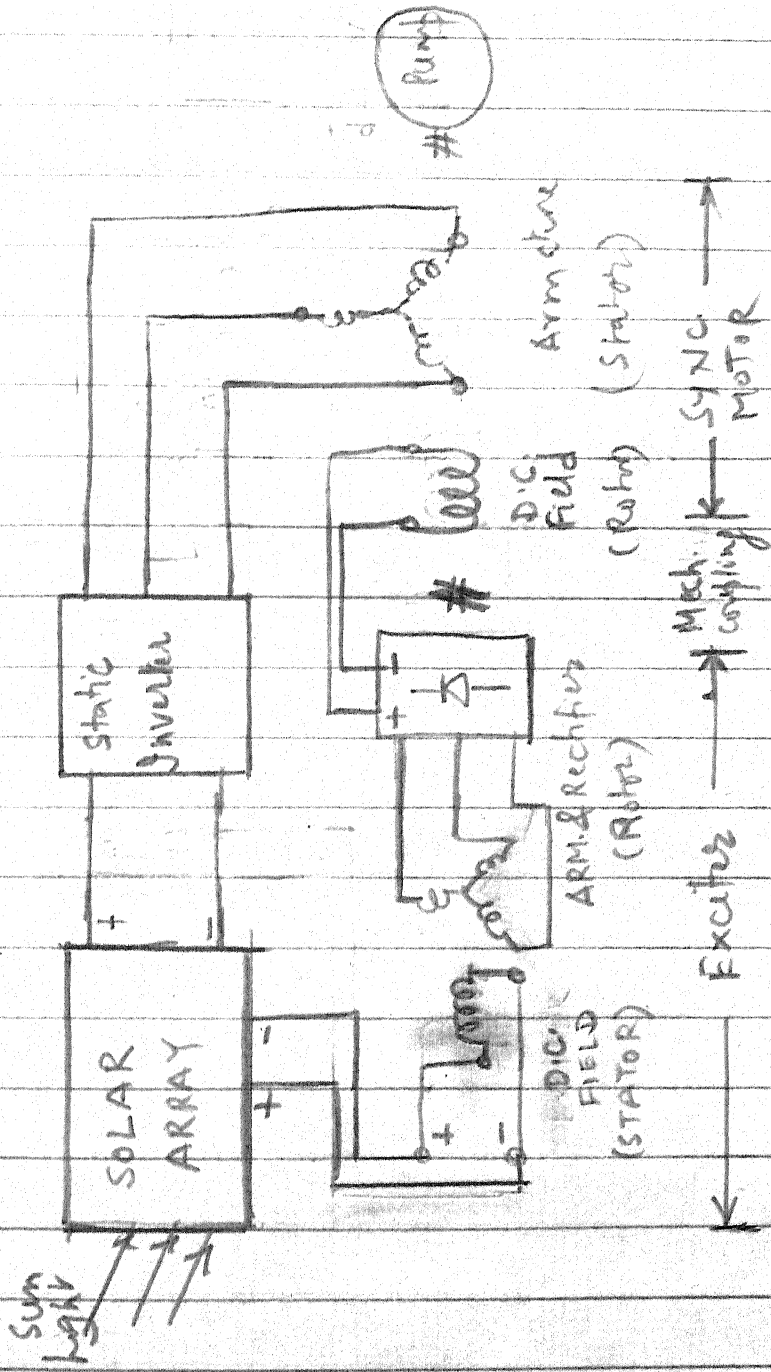
### 2.3.2 Brush and Commutatorless Motor

The d.c. excitation of a synchronous motor is provided by an a.c. exciter and diode bridge. This is shown in Fig. 2.2. The exciter with stationary field and rotating armature is mechanically coupled to the synchronous machine and the diode bridge is placed on the shaft. The connecting leads from the exciter to the diode bridge and then to the field are taken through a hollow shaft. Such a motor is referred to as a brushless d.c. machine. The brushless motor operates the same way as the synchronous motor i.e. it obtains power to its field winding from a direct controlled a.c. exciter and rectifiers (9) .

The advantages of this system are the following :

- a) Brushes are totally eliminated thus solving a lot of maintenance problems.
- b) A very small excitation is required for the exciter field.
- c) Due to the absence of sparking, no costly enclosure is required.
- d) The motor speed is constant.

But the main disadvantage of this system is its added cost. It needs a lot of accessories like three phase inverter, diode bridge to be mounted on the shaft, a.c. exciter etc. In addition, a special type of a.c. exciter is needed, whose armature is rotating. Thus, this system is obviously uneconomical and has not been experimented for a solar power drive.



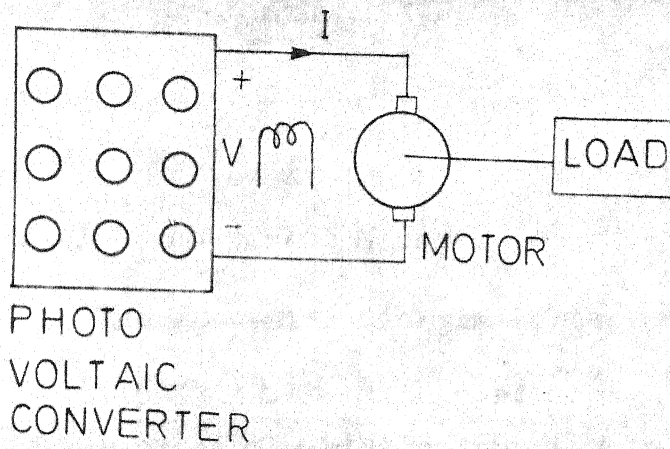


FIG.2.1A SOLAR POWERED D.C. MOTOR

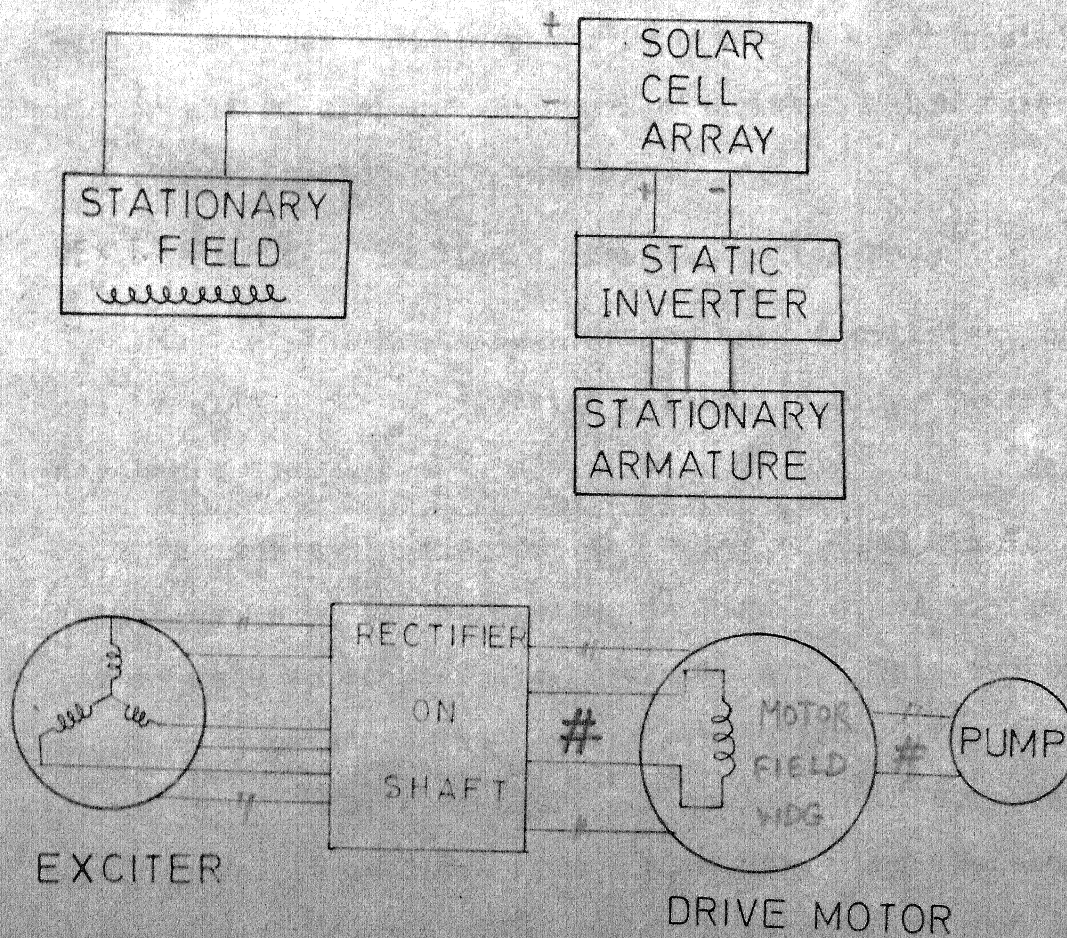


FIG.2.2 BRUSH AND COMMUTATORLESS MOTOR



### 2.3.3 Synchronous Motor

The schematic diagram of the solar powered synchronous motor drive is shown in Fig. 2.3. By varying the triggering frequency of the static inverter in conjunction with the shaft position sensor, the speed of the rotating magnetic field can be controlled from zero to the rated value, thus obtaining the characteristics similar to d.c. motor.

But the brushes have not been eliminated here as the solar power is to be fed through it. Another major disadvantage is that the number of components is high, as the system requires a three phase inverter, a shaft position sensor and an elaborate control circuitry which raises the overall system cost, ~~very high~~.

### 2.3.4 Inverter Fed Single Phase Induction Motor

Most of the centrifugal pumps used for irrigation are run by single phase induction motors, as a.c. power is available cheaply.

The schematic diagram of a solar powered single phase induction motor drive is shown in Fig. 2.4. A static inverter is used to convert d.c. power to a.c. This system is simpler compared to the earlier a.c. drives. The control circuitry is also simpler. Of course, when compared with d.c. drive, it requires more components. But there are other advantages. The induction motor is robust, rugged and



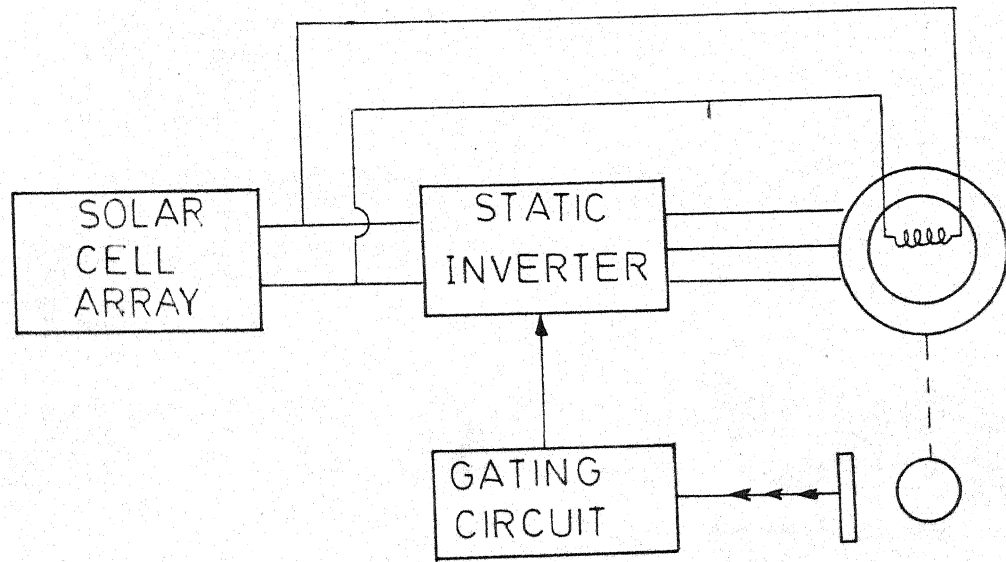


FIG. 2.3 SYNCHRONOUS MOTOR

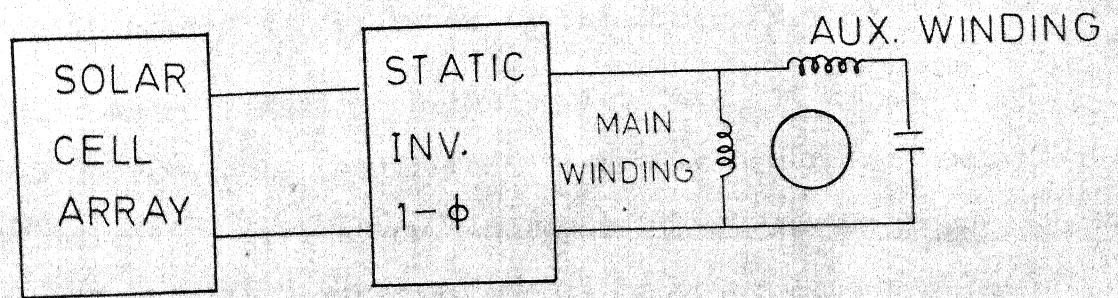


FIG. 2.4 INVERTER FED SINGLE PHASE INDUCTION MOTOR

maintenance free due to the absence of commutator and brushes. No versatile control characteristics are required for pump applications. Furthermore, no special construction is necessary. Presently such pumps are manufactured by several companies.

## 2.4 CONCLUSIONS

The ever increasing rate of consumption of the energy available has started the thought 'Is energy inexpendable?'. The answer to this has already arrived through various studies and statistics, that the consumption of fossil fuels at this rate will soon lead to total depletion of them. An alternative source of energy which will be more or less a perpetual source, was found to be the solar energy. Till today, it has indirectly been the source of fossil energy stored in the earth's crust but now solar energy has to be exploited directly.

India's main 'industry' being agriculture, it is expected that solar energy would be utilized to supply power for pumping applications in irrigation, wherever first level ground water is available at low heads. Small plots of land can be easily irrigated using small sized solar powered motor pump set.

Recognizing the source of power in d.c. form, four possible electric drive configurations are presented in this

chapter. Of these four configurations, the solid state single phase induction motor drive seems to be the most economical drive, and also highly reliable and rugged, with minimal maintenance. Such a drive is considered for detailed study and the whole system is described in the next chapter.

## CHAPTER 3

## SOLID STATE SOLAR POWERED PUMP DRIVE

## 3.1 INTRODUCTION

In Chapter 2, four possible electrical drive configurations are proposed for a centrifugal pump using solar energy. It is concluded that the single phase induction motor is, by far, the most suitable prime mover based on the following factors :

- i) the single phase induction motor is rugged and robust;
- ii) there are no maintenance problems due to the absence of commutator and brushes;
- iii) it is economical to use single phase motor;
- iv) since no special constructional changes are required, such motors could be easily available at the desirable hp ratings to the consumers by the Indian Industry;
- v) the induction motor is quite suitable for pump applications.

The block diagram of the drive is shown in Fig. 3.1. The solar cells are arranged in several series/parallel combinations to obtain the required voltage and current ratings. Since the power produced by the solar cell array is in dc form, the power modulator should be of necessity a single phase inverter. This inverter converts dc to ac power. The ac power is then fed to the motor-pump set.

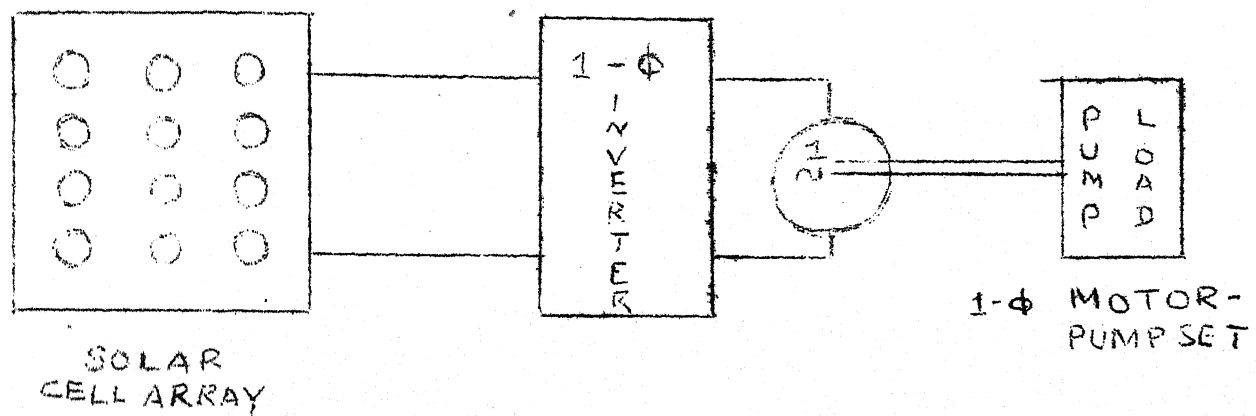
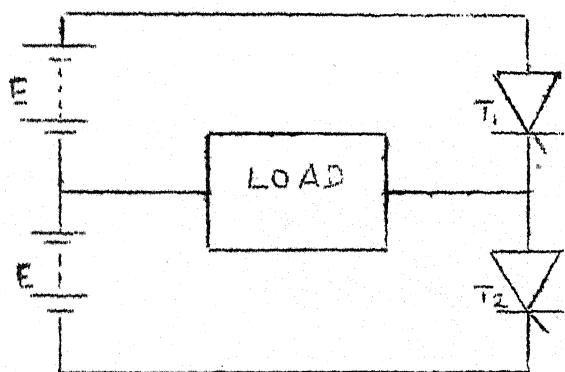
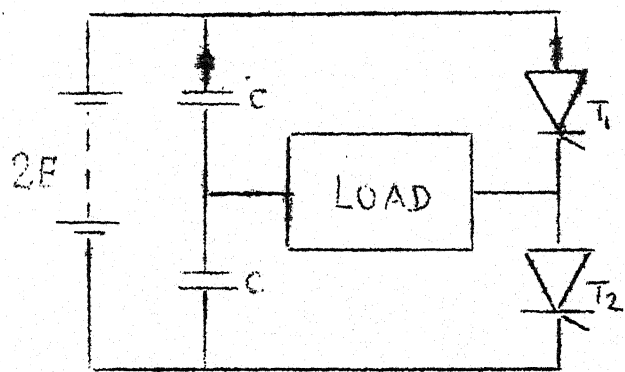


Fig:3-1 BLOCK DIAGRAM FOR SOLAR PUMP DRIVE



(i)



(ii)

Fig:3-2(a) CENTRE TAPPED SUPPLY

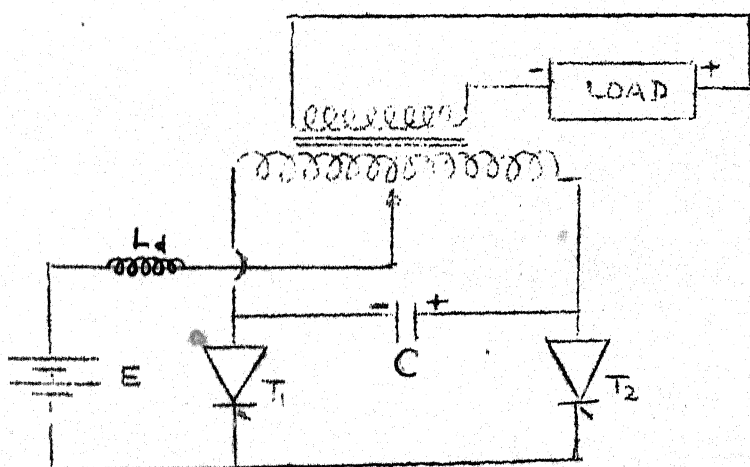


Fig:3-2(b) CENTRE TAPPED LOAD.

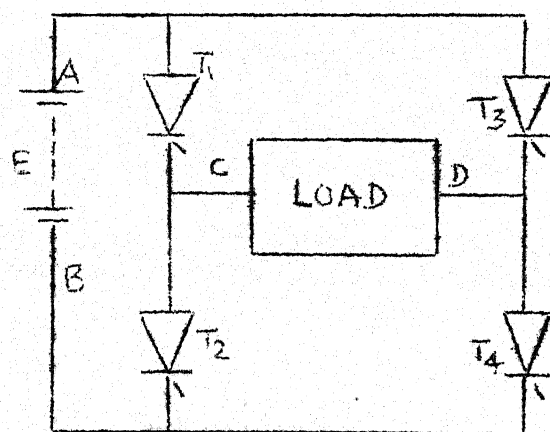


Fig:3-2(c) SINGLE PHASE BRIDGE

The output voltage of a solar cell array is very much dependent upon the brightness of the sun unless some additional storage devices are used. The use of batteries as storage devices is unwarranted because of additional cost and complexity. In order to ensure a constant voltage supply to the motor-pump set throughout the day, when the sun is not bright, a chopper is to be inserted between the solar cell array and the single phase inverter. The function of the chopper is therefore to boost the voltage and supply fairly constant voltage supply to the inverter.

There are many types of inverters and each has its own advantages and disadvantages over the other. In this chapter, a comparative study of different single-phase inverter circuits is presented. The basic principles of choppers are outlined and the working of a step-up chopper is detailed. Finally, the power modulator-chopper and inverter configuration chosen for the detailed study is presented.

### 3.2 INVERTER CIRCUITS

An inverter converts d.c. power to a.c. power at some desired voltage and frequency. In most modern inverter circuits SCRs are generally used because of their higher efficiency and reliability, fast response, low maintenance, long life, compact size and weight, silent operation etc. The process of turn off of SCRs in inverter circuits is known as commutation. So the basic classification of inverter circuits

is recognised by the different methods of commutation of an SCR. There are six classes of commutation (10,11) :

Class A : Self commutated by resonating the load

Class B : Self commutated by a LC circuit

Class C : C or LC switched by a load carrying SCR

Class D : C or LC switched by an auxiliary SCR

Class E : External pulse source for commutation

Class F : AC line commutation

Of these six classes, the first five classes (A to E) of inverters can function independently and provide an ac output of variable frequency. Such inverters find wide spread application in (i) standby power supplies, (ii) UPS in computers, (iii) speed control of ac motors, (iv) air-craft power supplies, (v) induction heating, to cite only some areas. The ac line commutated inverters (Class F) cannot function independently and provide an ac output of variable frequency. As the name indicates, the ac voltage is essential for commutation. Basically, the operation of a line commutated inverter is an extension of phase controlled rectifier operation, where the phase angle delay is beyond  $90^\circ$  and the power flow gets reversed. Such inverters are used in applications such as i) HVDC systems ii) Regenerative braking of dc drives and hence their usage is limited. The requirements for the operation of line commutated inverters are : i) ac source should be available, ii) the load should consist of a source

of dc power and iii) phase delay has to be more than  $90^\circ$ .

Another way of classifying inverters is based on configuration itself. Based on circuit arrangement, rectifier circuits can be arranged in several configurations such as half-wave, fullwave, bridge etc. Inverter circuits also may be grouped in an analogous manner. The most important configurations are (i) centre-tapped supply, (ii) centre tapped load, (iii) single phase bridge, and (iv) three phase bridge, as shown in Fig. 3.2. Each inverter configuration can be built by any one of the commutations listed above. As a result, several inverter circuits can be developed.

In solar powered pumping applications, the main source of input power to the drive system is dc. Obviously an inverter circuit based on forced commutation is to be selected to run the single phase induction motor. The inverter chosen should be simple, economical and provide good performance. Before we take up single-phase inverter circuits, let us look into the basic requirements of a forced commutated inverters.

A basic bridge inverter is shown in Fig. 3.2(c). The operation of the circuit is as follows : SCRs  $T_1$  and  $T_4$  are triggered to cause the current to flow through the load from C to D. After half the period of output frequency,  $T_1$  and  $T_4$  are commutated and  $T_2$  and  $T_3$  are triggered. This causes the current to flow from D to C. After half the period,  $T_2$  and  $T_3$  are commutated and the cycle continues.



In this type of inverter,  $T_2$  is triggered immediately after commutation of  $T_1$ . Thus the triggering of  $T_2$  will make point C to attain the potential of point B, which forward biases  $T_1$ . Therefore,  $T_2$  is triggered after sufficient delay, so that  $T_1$  is reverse biased for sufficient time. In inverter circuits, retriggering or spurious triggering of a commutated device would certainly result in a short circuit. If, in Fig. 3.2(c)  $T_1$  and  $T_4$  are conducting and if for any reason  $T_2$  gets triggered, it is seen that a dead short circuit across the d.c. supply would take place. Therefore, in addition to using special inverter grade thyristors, we should take all precautions to prevent spurious pulses. The devices used in inverters should be capable of (i) blocking the forward voltage, (ii) quick turn off and (iii) withstanding large  $dV/dt$  (10,12).

As each SCR requires a separate commutation circuit, the number of components increase. Thus the overall cost of the inverter increases, which makes it economically in-competitive.

The other simple single-phase inverters are (a) series inverter (b) parallel inverter which are described in the following sections.

#### (a) Series Inverter :

Series inverters are commonly used when a high output frequency of some 200 Hz to 100 KHz is required. Such high

frequencies may be desirable in induction heating, fluorescent lighting etc. Series inverters operate on load commutation (Class A). L-C components are added to the load circuit. They are particularly suitable for high frequency operation since the size of L-C components decreases with an increase in frequency. A basic series inverter is shown in Fig. 3.3.

The series inverter cannot operate on no-load and protection against short circuit of the output demands special control features to detect excessive output current or capacitor voltage. The limitations of series inverters are :

- i) Its maximum possible output frequency is limited to the ringing frequency of the resonant circuit. This is because SCR<sub>2</sub> can be triggered only after SCR<sub>1</sub> is put off. Of course, this can be overcome by using a coupled inductor.
- ii) For output frequencies much lower than the ringing frequency, the distortion in the load voltage waveform is high because the on-time is quite large in comparison with the duration of conduction of the SCRs.
- iii) High rating of the commutating components is required because these components carry the load current continuously and the capacitor supplies the load current in every alternate half cycle.

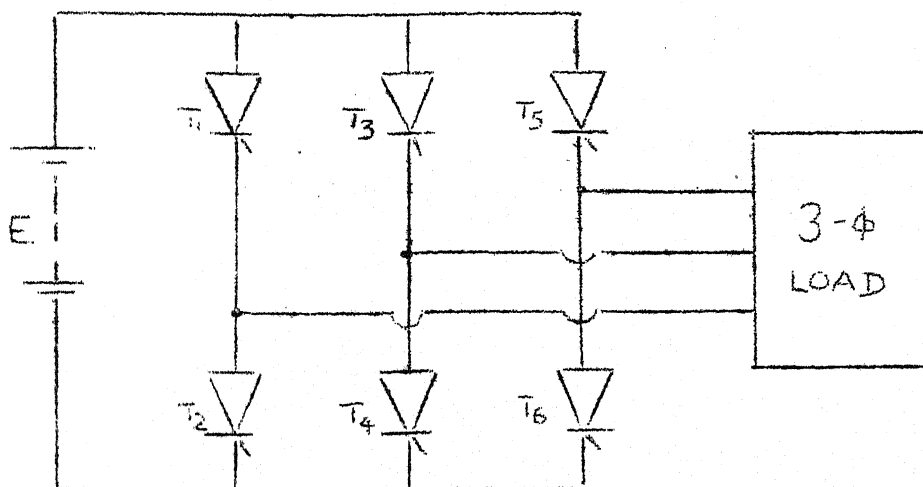


Fig. 3.2 (d) THREE PHASE BRIDGE

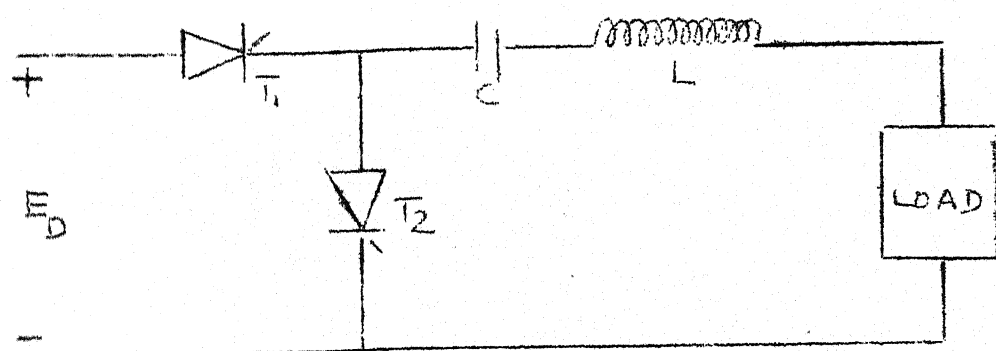


Fig. 3.3 SERIES INVERTER

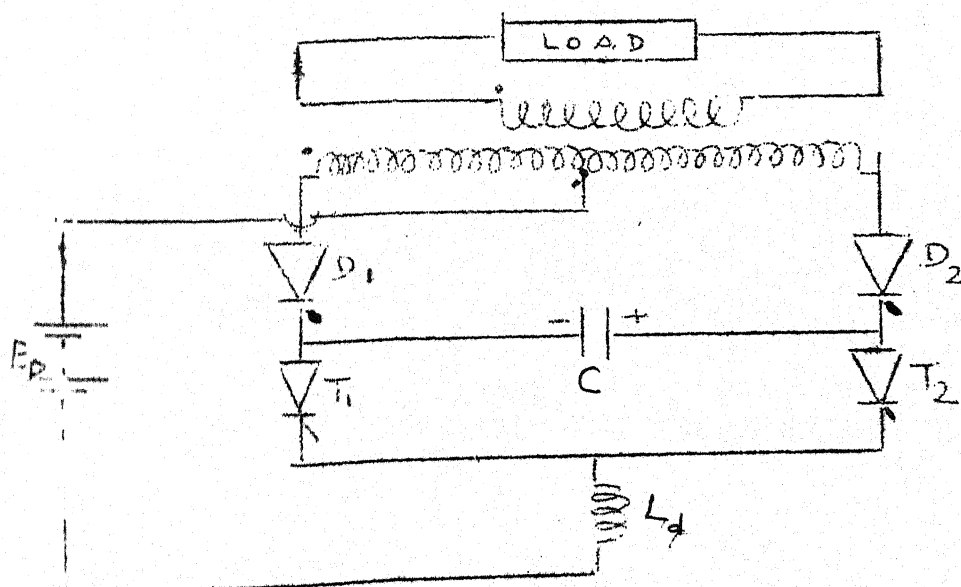


Fig. 3.4 MODIFIED PARALLEL INVERTER

- iv) As the power flow from the d.c. source is intermittent, the source should have a large peak current rating and the input current will have a high harmonic content (14).

In pumping applications, the driving motor is to be rated at normal power frequency from viewpoint of economy and other considerations. The inverter, therefore, operates at normal power frequency and large sized commutating components are required. Furthermore, the peak source current might result in substantial drop in the output voltage of the solar cell array.

#### (b) Parallel Inverter

The basic circuit of this inverter is shown in Fig. 3.2(b) which is a centre tapped load configuration. The capacitor  $C$ , effectively in parallel with the load, is providing commutation, while inductance  $L_d$  smooths the dc current drawn from the source. The working of the circuit is as follows : Initially  $T_1$  is conducting, then the left half of the transformer primary and  $L_d$  gets the supply voltage  $E_d$  and the capacitance gets charged to roughly  $2E_d$  with the polarity indicated in the Fig. 3.2(b). The load will also have the same voltage transformed and the polarity as shown. Now  $T_2$  is triggered and the capacitor immediately applies its voltage to  $T_1$  through  $T_2$ , which reverse biases  $T_1$  and commutates it. With  $T_2$  on, the source voltage will be

applied to the right half of the transformer and the load voltage will also reverse. Thus an alternating voltage and current is obtained in the load.

The output frequency is decided by the triggering frequency of the SCRs. For variable frequency operation, the transformer has to be designed suitably. Two causes of failure of this circuit could be (a) not enough turn off time for the SCR is given which will lead to both the SCRs conducting and a short circuit will result. This can be prevented by increasing the commutating capacitance suitably, (b) Due to large voltage across the SCRs which leads to reverse breakdown. This can be prevented by decreasing commutating capacitance. Therefore, for satisfactory operation of the circuit, a compromise between these two conflicting requirements is to be made.

From the study of different single phase inverters, the parallel inverter appears to be a good choice. The parallel inverter is slightly modified by connecting diodes in series with the thyristors as shown in Fig. 3.4(13,14). The function of these diodes is to trap the charge on the commutating capacitor enabling operations with an ac load of any power factor. In the basic inverter, the commutating capacitor is effectively connected across the load. A part of the commutating energy stored in the capacitor is diverted to the load. Large capacitors are required to handle inductive and back EMF

loads. This is quite pronounced particularly at low frequencies. By connecting these series diodes, the size of the capacitor can be reduced.

Two broad classes of inverters emerged over a period of last one decade. They are (i) Voltage Source Inverters (VSI) (ii) Current Source Inverters (CSI). Voltage source presents a low impedance while current source presents high impedance to the inverter. Current source inverters are becoming popular for ac motor drives, induction heating and a variety of inverter applications. Any commutation failure in VSI may result in a large short circuit current. This may damage the device and other circuit components. The main advantages and disadvantages of CSI are :

- i) Inverter grade thyristors with low turn off time, which are costly, need not be used.
- ii) Inherently protected against short circuit at the output terminals.
- iii) Reliability and ease of regeneration when fed through a phase controlled rectifier.
- iv) Simpler and more rugged.
- v) Open circuit at the output causes very high voltages.
- vi) Main limitations are weight, volume, cost and load dependence.

In the present study, the CSI is preferred over the VSI because of the several advantages mentioned above. It may,

however, result in some extra cost. The parallel inverter with the series diodes is provided with a large inductor in its front end so that the voltage source may be converted into a ripple free current source. Fig. 3.4 shows this modified parallel inverter. The operation of the inverter can be described as follows :

Due to the continuity of the direct current fed through the inductor  $L_d$ , atleast one of the thyristors  $T_1$  or  $T_2$  is forced to conduct. However, due to capacitance  $C$ , only one can conduct at a time. This is because, if  $T_1$  is conducting and the capacitor is charged as shown, then  $T_2$  cannot be turned on as it is reverse biased. After the capacitor gets charged in the reverse direction,  $T_2$  can be turned on, but the capacitor voltage reverse biases  $T_1$  and turns it off. Even if the capacitor voltage is zero when both  $T_1$  and  $T_2$  are gated on, the action of the counter emf will extinguish the current in one of the thyristors and then charge the capacitor(14).

When  $T_1$  conducts, either  $D_1$  or  $D_2$  or both of them can conduct depending on the capacitor voltage and the counter emf. Similarly with  $T_2$ , these modes can take place. The analysis during different modes is taken up in the next chapter.

The whole system block diagram is shown in Fig. 3.1. It consists of (i) dc source from solar cell array, (ii) current source modified parallel inverter, and (iii) single-phase induction motor-pump set. The system may operate satisfactorily during the day time when the sun is bright. Due to the inherent intermittent nature of solar energy, the input source may not provide a constant voltage supply. In order to maintain a constant voltage/current to the inverter under all weather conditions, a step up chopper is inserted between power source and the inverter. The function of this chopper is to develop a constant voltage/current for the inverter. V-I curves of solar cell is shown in Fig. 3.4A.

### 3.3 CHOPPER

A chopper circuit converts d.c. power from a constant voltage (input) to a variable voltage (output). The chopper circuits, depending upon the operation in the V-I plane (instantaneous values), are classified one-quadrant, two-quadrant, four quadrant configurations. Choppers are widely used in d.c. motor control, battery charging, regulated power supplies, battery operated vehicles etc. The SCR choppers offer greater efficiency, faster response, lower maintenance, smaller size than motor-generator sets.

A basic single quadrant chopper is shown in Fig. 3.5(a) (15). The dotted box indicates SCR chopper consisting of main SCR and its commutating circuitry. It may be considered



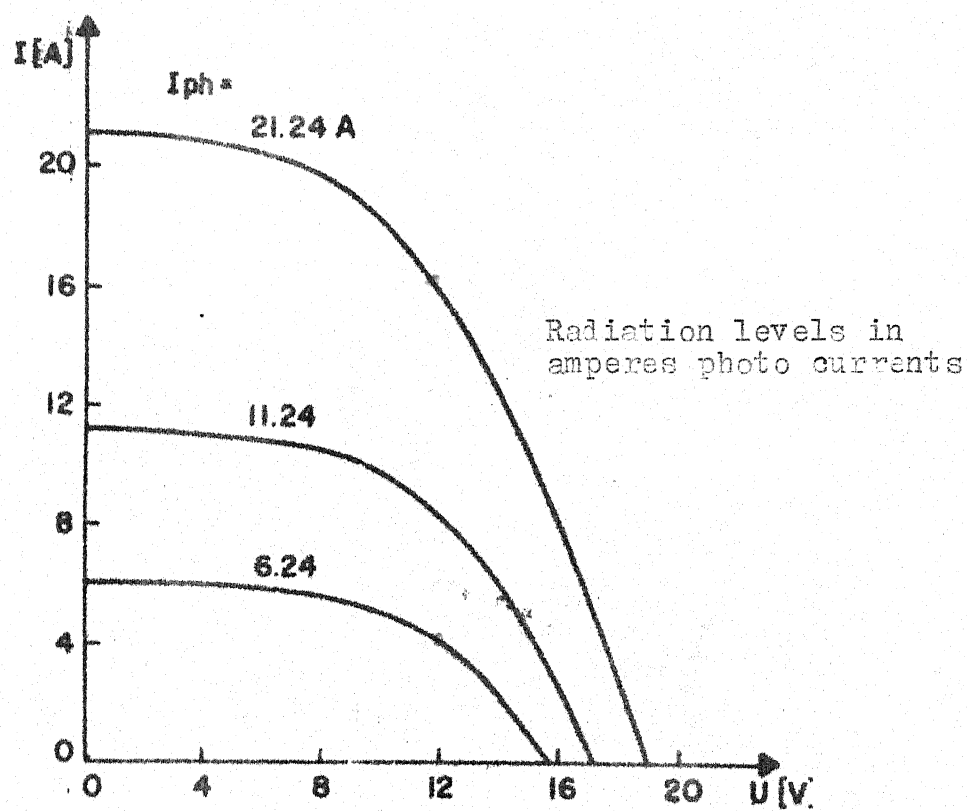


Fig. 3.4A V-I characteristics of solar cell

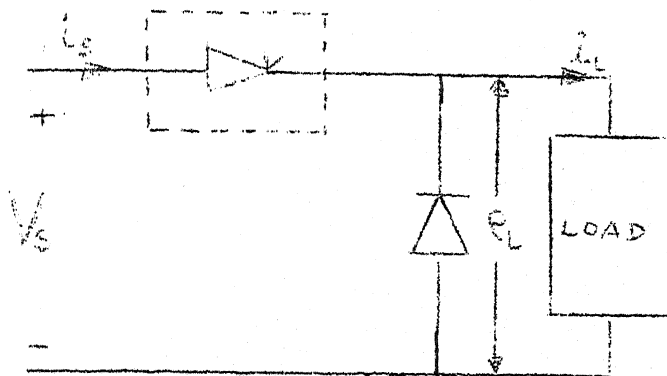
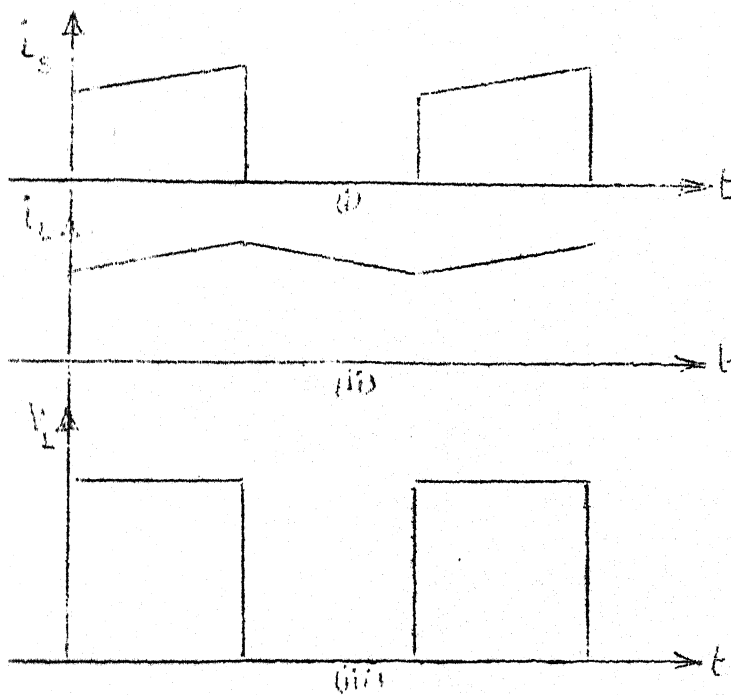


FIG. 3.5(a) BASIC CHOPPER



(i) SOURCE CURRENT

(ii) LOAD CURRENT

(iii) LOAD VOLTAGE

FIG. 3.5(b) WAVE FORMS OF VOLTAGE &amp; CURRENT

to be an ideal switch. Assuming continuous current, the output voltage is completely defined as follows :

$$V_L = V_S , \quad \text{when chopper is on}$$

$$V_L = 0 , \quad \text{when chopper is off}$$

By operating the chopper periodically, a rectangular train of pulses  $e_L$  as shown in Fig. 3.5(b) can be generated. The average value of the output voltage,  $v_L$  is given by,

$$V_L = V_S \cdot \frac{t_{ON}}{T}$$

Thus the average voltage can be varied from 0 to  $V_S$  by the following control strategies :

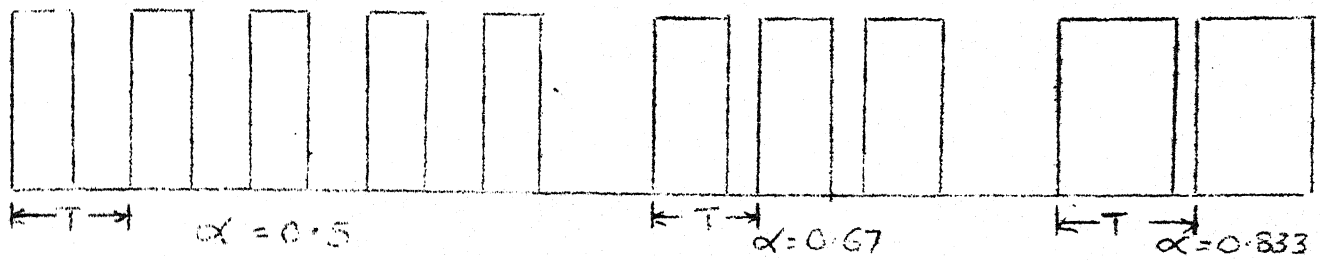
- i) Constant frequency, variable ON time
- ii) Variable frequency, constant ON time
- iii) Variable frequency, constant OFF time.

The output voltage waveforms using these control strategies are illustrated in Fig. 3.6(16).

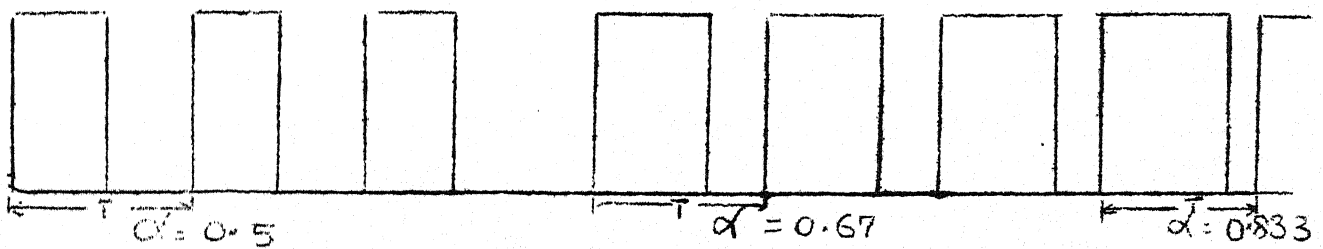
With the chopper described above, we can obtain an output voltage which is less than or equal to the input voltage. This type of chopper is called step down chopper. There are other types of choppers,

- i) Step-down and boost and, ii) Step-up chopper,

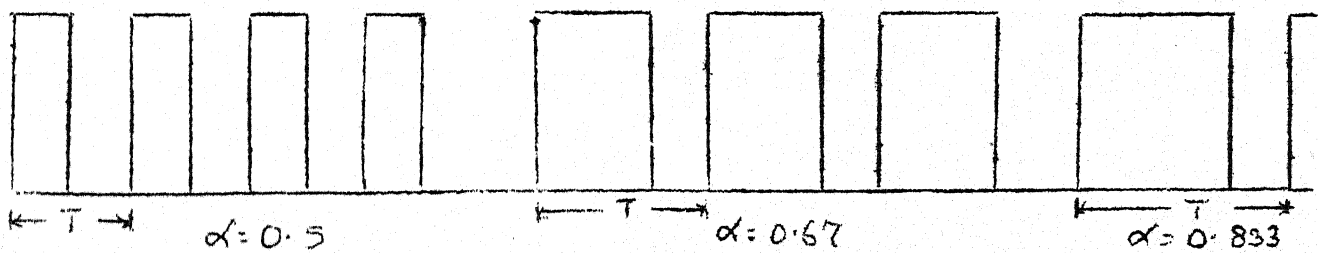
i) Step-down and boost chopper : Fig. 3.7 shows the simplified circuit configuration for a step-down and boost chopper.



(a)



(b)



(c)

Fig 3.6 CHOPPER CONTROL STRATEGIES

- (a) Constant Frequency  $T_{rc}$
- (b) Variable Frequency - constant-on-time
- (c) Variable Frequency - constant off-time

When switch S is closed the source voltage  $V_S$  is impressed across the inductor L. When S is opened the inductor voltage,  $L \frac{di_1}{dt}$  must equal  $V_L$ , and the energy stored in the inductor is transferred through the diode into the battery. The source voltage  $V_S$  is unconstrained and can be greater or less than  $V_L$ .

The current flows through the inductor continuously, whether or not the switch S is open or closed. Thus neglecting ripple,  $I_1 = I_2 = \text{constant}$  and

$$V_S I_1 t_{ON} = V_L I_1 t_{OFF}$$

$$\frac{V_L}{V_S} = \frac{t_{ON}}{t_{OFF}} = \frac{t_{ON}}{T - t_{ON}} = \frac{\delta}{(1 - \delta)}$$

where

$$T = t_{ON} + t_{OFF} = \text{chopper period}$$

$$\delta = t_{ON}/T$$

As  $\delta$  increases from 0 to 0.5, the load voltage increases from zero output voltage to source voltage and for  $\delta$  greater than 0.5, the load voltage is greater than the source voltage.

(ii) Step up chopper : Fig. 3.8 shows the circuit configuration for a step up chopper.

When the switch S is closed, energy is stored in the inductor. When the switch opens, the sum of  $L \frac{di}{dt}$  and source voltage are impressed across the load. The energy stored in the inductor is transferred to the load and also charges up the capacitor C. The capacitor C maintains the output voltage constant when the switch is closed. Assuming that the current through the inductor is continuous,

$$V_S I_1 T = V_L I_1 t_{\text{off}}$$

$$\frac{V_L}{V_S} = \frac{T}{t_{\text{off}}} = \frac{T}{T - t_{\text{ON}}} = \frac{1}{1 - \delta}$$

As  $\delta$  increases, the output voltage increases above that of the source voltage, thus stepping up the voltage.

### 3.4 STEP UP CHOPPER INCLUDING COMMUTATION CIRCUIT

The complete chopper circuit used is shown in Fig. 3.9. The thyristor  $T_{M1}$  acts as the main switch and the commutation circuit consists of a capacitor  $C_c$ , auxiliary thyristor  $T_c$ , inductor  $L_c$  and recharging thyristor  $T_{M2}$ . The following assumptions are made in the operation of the chopper :

- a) The inductance  $L_1$  is so large that the current ripple is negligibly small.
- b) The capacitor C is large enough to keep the load voltage  $V_L$  constant during the chopper off period.

With these assumptions, the circuit operation may be described as given below.

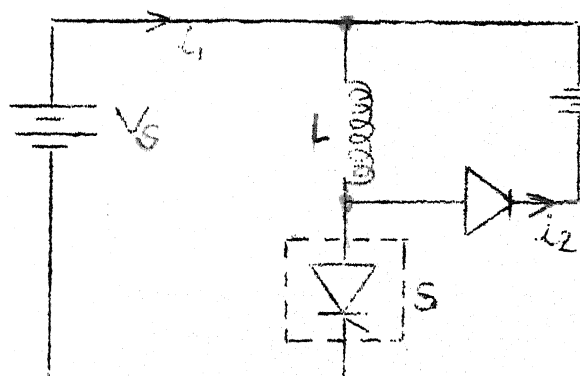


Fig. 3.7. STEP DOWN AND BOOST CHOPPER

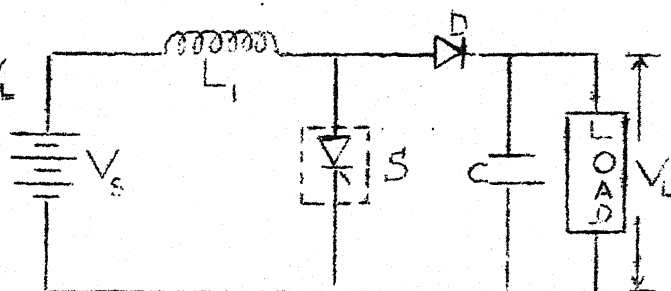


Fig. 3.8 STEP UP CHOPPER

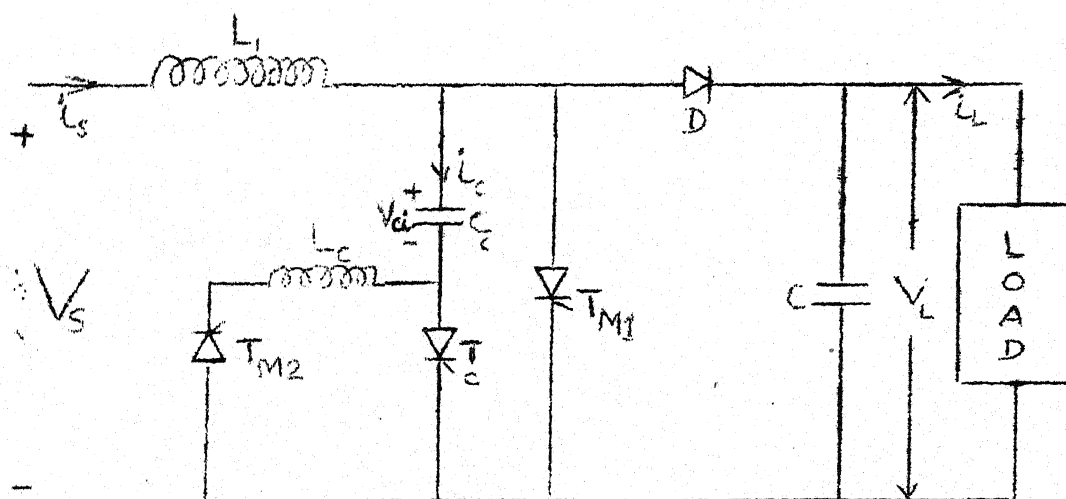


Fig. 3.9 COMPLETE CHOPPER CIRCUIT

Interval I : The commutating capacitor  $C_c$  is charged to an initial value from an earlier operation. When the thyristors  $T_{M1}$  and  $T_{M2}$  are triggered, the source current flows through the inductor  $L_1$  and  $T_{M1}$ . At the same time, the voltage across the capacitor  $C_c$  reverses through  $T_{M1}$ ,  $T_{M2}$ , inductor  $L_c$  and  $C_c$ . The current in this loop has oscillating response. The current increases sinusoidally and decreases to zero. As the current  $i_c$  tends to reverse, the thyristor  $T_{M2}$  turns off. The interval I ends when the current,  $i_c$  becomes zero. The equivalent circuit for this interval is shown in Fig. 3.10(a).

The equation for the loop formed by source, inductance  $L_1$  and  $T_{M1}$  is given by

$$V_s = L_1 \frac{di_s}{dt} \quad (3.1)$$

Hence

$$i_s = \frac{V_s}{L_1} t \quad (0 \leq t \leq \pi \sqrt{L_c C_c})$$

Considering the other loop formed by capacitor  $C_c$ ,  $T_{M1}$ ,  $T_{M2}$  and inductor  $L_c$ , and with an initial voltage  $v_{ci}$  across capacitance  $C_c$ , the equation for this is

$$L_c \frac{di_c}{dt} + \frac{1}{C_c} \int_0^t i_c dt + v_{ci} = 0 \quad (3.2)$$

Solving for  $i_c$  with initial conditions  $i_c(0) = 0$ ,  $\frac{di_c}{dt}(0) = -\frac{v_{ci}}{L_c}$ , we get



$$i_c = \frac{-V_{ci}}{L_c} \sin \omega t$$

where

$$\omega = \frac{1}{\sqrt{L_c C_c}}$$

Therefore, from the above equations the voltage across the capacitor is given by

$$V_c = V_{ci} \cos \omega t$$

At  $\omega t = \pi$ , the current  $i_c$  is zero and the thyristor  $T_{M2}$  turns off. At this time, the voltage across capacitor  $V_c$  equals to  $-V_{ci}$  which is got from the above expression for  $V_c$  by substituting  $\omega t = \pi$ . The time variations of waveforms of  $V_c$ ,  $i_s$ ,  $V_L$  and  $i_c$  are illustrated in Fig. 3.11(a).

Interval II : The circuit for this interval is shown in Fig. 3.10(b). Only thyristor  $T_{M1}$  is conducting and the voltage equation of this loop is the same as equation (3.1). The initial condition is

$$i_s(0) = I_1 \sqrt{L_c C_c}$$

The waveforms pertaining to this interval are given in Fig. 3.11(a). This interval lasts for  $(t_{on} - \pi \sqrt{L_c C_c})$ .

Interval III : The voltage across the commutating capacitor is of right polarity to commutate. This interval is shown in Fig. 3.10(c). At the end of the ON period,  $T_{M1}$  is to be

commutated. To commute  $T_{M1}$ , auxiliary thyristor  $T_c$  is triggered. The voltage across  $C_c$  is applied across  $T_{M1}$  which reverse biases it and  $T_{M1}$  turns off. The capacitor  $C_c$  gets charged through the source and as soon as it is equal to the load voltage, the diode  $D$  conducts. Thus the voltage across  $C_c$  is clamped to the load voltage.

During the commutation interval which is very small, the current through the inductor  $L_1$  is assumed to be constant. Therefore, when  $T_c$  is triggered to commute  $T_{M1}$ , the capacitor  $C_c$  charges linearly by constant current ( $I_{L1}$ ).

The loop formed by source, inductor  $L_1$  and commutating capacitance  $C_c$  can be mathematically represented by

$$V_s = \frac{1}{C_c} \int_0^{t_2} I_{L1} dt = V_{cl} \quad (3.3)$$

Here the drop across the inductance  $L_1$  is zero and the current  $I_{L1}$  is constant. But at  $t = t_2$ , voltage across capacitor equals load voltage and  $D_2$  starts conducting. Therefore,  $V_c(t = t_2) = V_L$ .

Interval IV : The capacitor  $C$  gets charged to the sum of the source voltage and  $L \frac{di_s}{dt}$  which is the load voltage. Considering the operating circuit for the interval (Fig. 3.10(d)),

$$V_L = V_s + L_1 \frac{di_s}{dt} \quad (3.4)$$

The waveforms corresponding to this intervals are shown in Fig. 3.11 (a) and oscillographs are shown in Fig. 3.11(b).

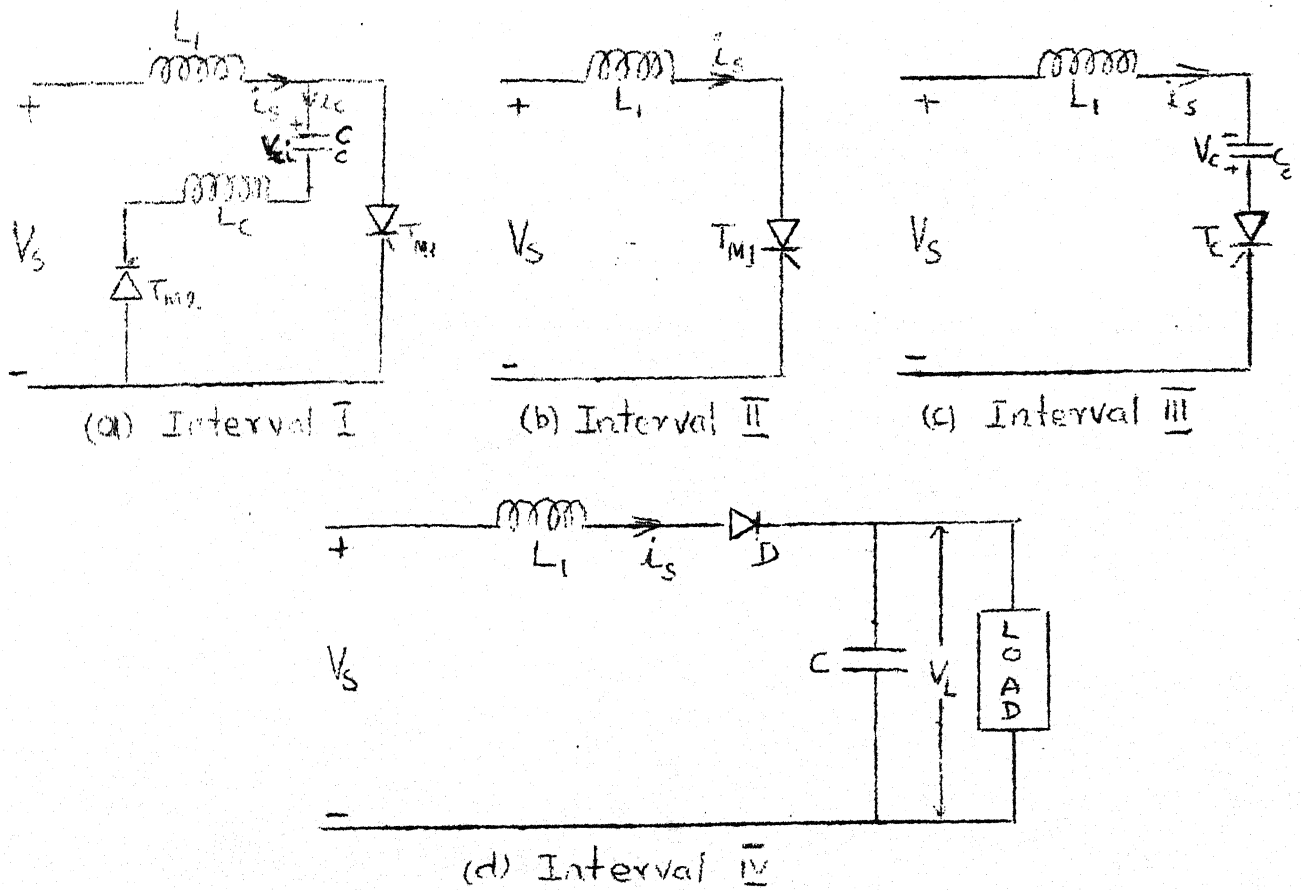


Fig 3.10. DIFFERENT INTERVALS OF CHOPPER.

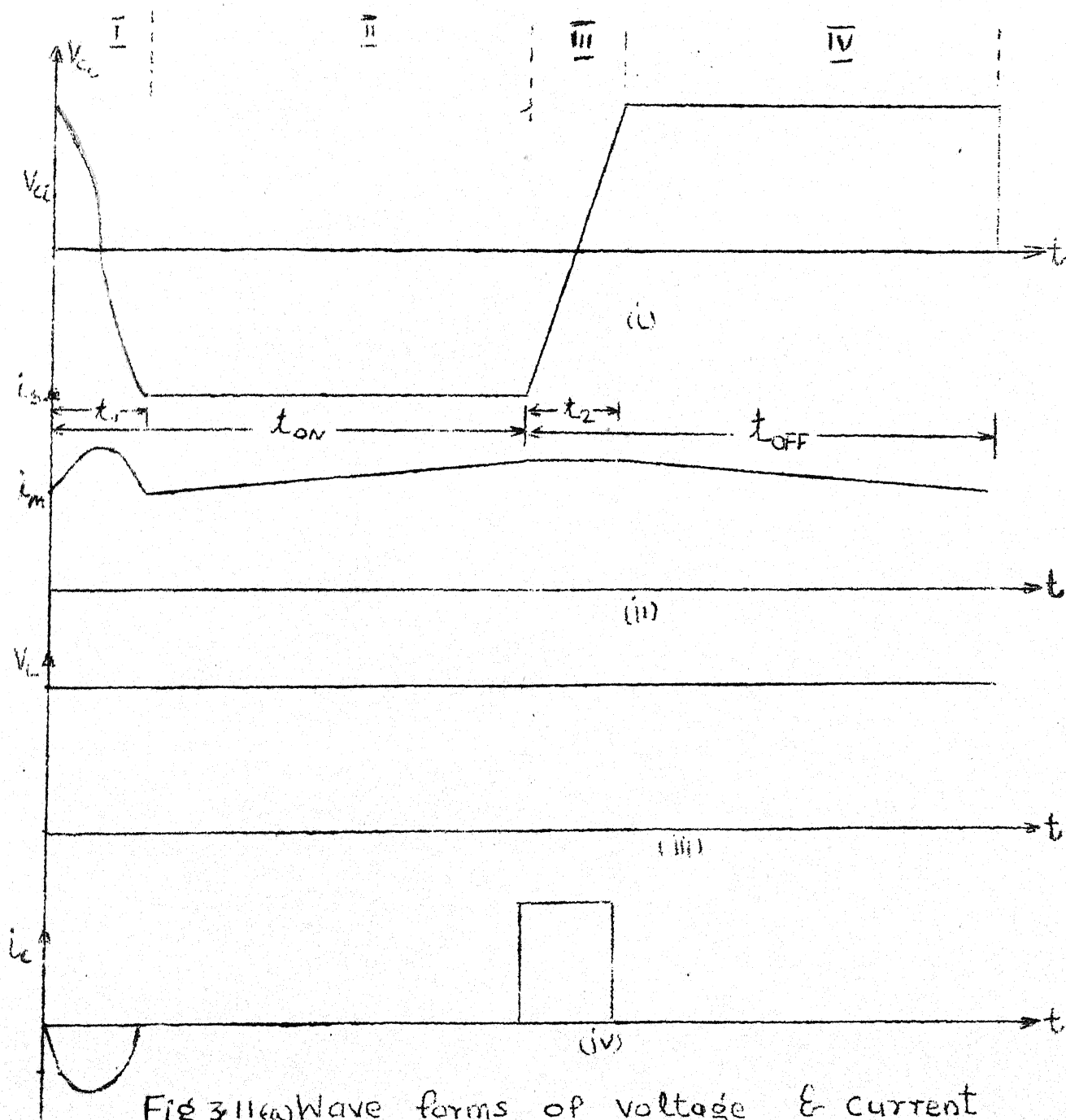
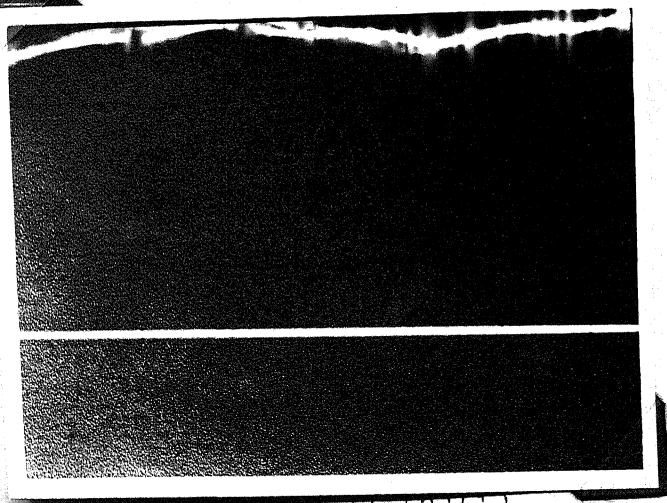


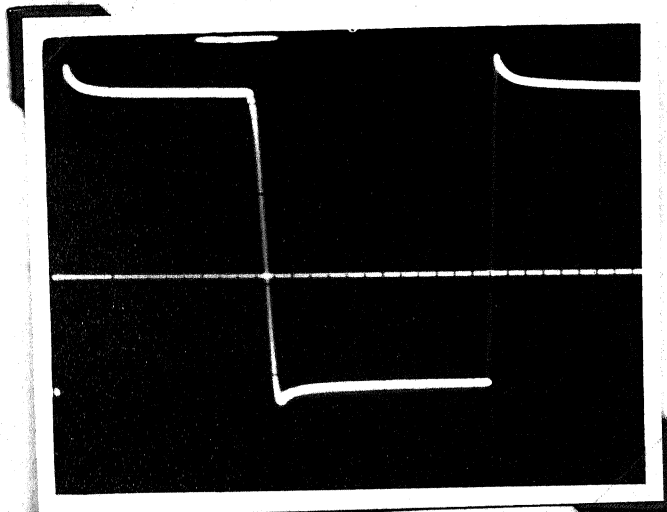
Fig 3.11(a) Wave forms of voltage & current

- (i) Voltage across commutating capacitor  $C_c$
- (ii) Source current      (iii) Load Voltage
- (iv) Current through commutating capacitor  $C_c$



Source current  $i_s$   
 Scale: X-Axis- 1 msec/cm  
 Y-Axis- 10 mV/cm

Fig. 3.11 (b) (i)



Voltage across commutating capacitor  $C_c$   
 Scale: X-Axis - 1 msec/cm  
 Y-Axis - 20 V/cm

Fig. 3.11 (b) (ii)



(i) Voltage across main SCR  $T_{M1}$   
 (ii) Chopper output voltage

Scale: X-Axis - 1 msec/cm  
 Y-Axis - 20 V/cm .

Fig. 3.11 (b) (iii)

As seen with the ideal case of a step-up chopper, when  $\delta$  increases, the output voltage should increase indefinitely. The assumptions made regarding the inductor current and the output voltage to be constant is not true in actual working. For long duty interval of the thyristor  $T_{M1}$ , the capacitor  $C$  acts as the source for the load and in this process, losses some charge. During the off time of the thyristor  $T_{M1}$ , the capacitor  $C$  gets charged but the off time being small, it will not be able to get fully charged. As this cycle continues, the capacitor settles down to a lower voltage. Therefore, in practice, it is not possible to get very large output voltage with a small input voltage.

### 3.5 OVERALL CIRCUIT CONFIGURATION

The complete circuit diagram consisting chopper and inverter is shown in Fig. 3.12. Some precautions are to be taken for the successful operation of the whole circuit.

- a) Triggering pulses are to be given simultaneously to the chopper and the inverter. If pulses are given first to the chopper, the output voltage may be too small for the load and commutation failure in the chopper may take place.
- b) For smooth starting of the motor and to restrict the inrush current, the chopper output voltage is gradually increased to the rated value. This prevents the sudden application of large voltage across the thyristors.

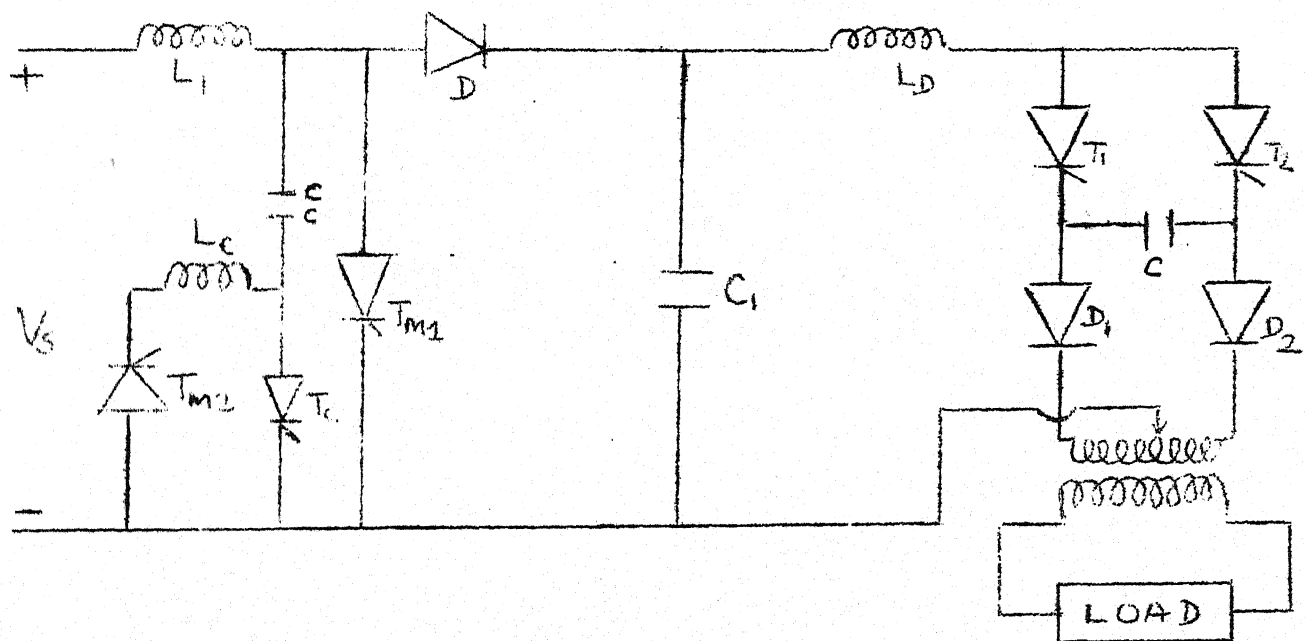


Fig 3.12 OVERALL CIRCUIT DIAGRAM  
(CHOPPER & INVERTER)

For loading purposes, a d.c. shunt motor is coupled to the induction motor. Due to non-availability of centrifugal pump in the lab the actual motor-pump set could not be tested. The source for the system, which was proposed to be a solar cell array, could not be obtained. Therefore, an MG set was used as the d.c. source to the inverter.

### 3.6 CONCLUSIONS

A comparative study of different single phase inverters is made. An economical inverter-modified parallel inverter is chosen for converting d.c. to a.c. in order to power the motor-pump set. The CSI is preferred to VSI because of several advantages of the former if a slight increase in cost is tolerated. The voltage output of the solar cell array is a strong function of solar radiation. To ensure fairly constant voltage/current input to the inverter under all radiation levels, a step-up chopper is to be connected between the source and the inverter. The step up chopper configuration including effects of commutation is presented and its operation is described in detail illustrating the pertinent waveforms.

As a centrifugal pump could not be obtained, the motor pump set could not be put to actual field test. All load tests were conducted on the d.c. shunt motor which was coupled to the induction motor. Solar cell array, due to its non-availability, could not be used to power the system. The



d.c. source was made available through a motor-generator set.

For successful operation of the complete circuit (chopper and inverter) as described in this chapter, the firing pulses have to be given to the thyristors in a particular sequence. The study regarding generation of the firing pulses and other aspects of the control circuit is the subject of the next chapter.

## CHAPTER 4

DETAILS OF CONTROL CIRCUIT FOR THE CHOPPER-  
INVERTER

## 4.1 INTRODUCTION

A study of different types of inverters was made and the modified parallel inverter was chosen to drive an induction motor-pump set. The parallel inverter chosen has two thyristors which have to be triggered at regular intervals to give an a.c. output. This interval determines the output frequency of the inverter. The single-phase induction motors which are manufactured in bulk, are rated at normal power frequency of 50 Hz. Thus, by choosing the inverter frequency as 50 Hz, the normal induction motors which are available can be directly used and the need for special purpose motors can be avoided. The other advantage is that the same motor can also be operated with the normal a.c. supply. The triggering frequency of the thyristors in the parallel inverter is designed for 50 Hz. The design of the triggering circuit is discussed in this chapter.

The d.c. supply is supposed to be obtained from a solar cell array. This voltage is, therefore, dependent on the brightness of the sun, which is intermittent. This may cause the voltage to drop, under some situations thereby affecting

the performance of the motor-pump set. For maximum output from the motor-pump set, the voltage applied across the motor must be held constant. The step-up chopper as proposed earlier ensures steady voltage under all radiation levels. The step-up chopper is operated at constant frequency with variable on-time. The design of the triggering circuit for obtaining the required pulses to the thyristors is discussed in this chapter. The triggering circuit also ensures firing the thyristors in a particular sequence while starting the chopper.

#### 4.2 TRIGGERING CIRCUIT FOR THE INVERTER

The main block diagram for the firing circuit for the inverter is shown in the Fig. 4.1(a) which gives the triggering pulses to the thyristors  $T_1$  and  $T_2$  shown in Fig. 3.4. The waveforms are shown in Fig. 4.1(b). The astable multivibrator produces a square wave (A) of the set frequency. This square wave (A) is inverted to obtain (B). (A) and (B) are then ANDed with a high frequency modulating signal (C). These two signals with  $180^\circ$  phase shift at the set frequency are applied to the gates of the thyristors through a pulse driver and pulse transformer. The associated circuits for different blocks are described in Fig. 4.2.

Astable Multivibrator :

The circuit shown in Fig. 4.2, marked as (1). This is

a simple square wave generator. The output voltage is limited to  $+V$  and  $0$  because of the zener diode. The resistance  $R_f$  and capacitor  $C$  provide the circuit timing with the amplifier acting as a comparator. The feedback is provided to the non-inverting input by the  $R_3$  and  $R_4$  voltage divider. The input resistor  $R_1$  is to assure high input impedance to the op-amps with input protection. The operation of the circuit is as follows :

When the output switches from negative to positive, the capacitor charges up from negative to positive. When the capacitor reaches the voltage on the non-inverting input, which is  $+V_{out} \beta$  ( $\beta = R_4 / (R_3 + R_4)$ ,  $R_1 \gg R_3$  or  $R_4$ ), the circuit switches negative and the process repeats.

The square wave is made symmetrical by adjusting the value of  $\beta$  and frequency is varied by varying  $R_f$ . The set values for 50 Hz is shown in the circuit. The negative half of the square wave is suppressed by the zener diode  $Z$ . This is shown in the waveform as (A).

INVERTER :

A CMOS inverter (74C06) is used to invert this signal (A) to get signal (B). CMOS chips are being used as they work at the same voltage range as the op-amps and no separate supply is needed. Thus two signals at  $180^\circ$  phase shift is got at the required frequency as shown in the waveform.

### High Frequency Modulation Circuit :

In order to avoid the saturation of pulse transformers which are used for isolation of the gate circuit from the power circuit, high frequency modulation of the gate pulses is necessary. A timer circuit NE555 is used for this purpose which is shown in the Fig. 4.2 marked as (2). The frequency of this modulating signal can be adjusted by varying R and C. It is adjusted for approximately 10 KHz. The resulting modulated gate pulses are shown in the wave-forms as (D) and (E).

### Amplifier and Pulse Transformer Isolation :

In order to trigger SCRs reliably, the gates have to be driven hard and the pulse magnitude should be large but within the maximum limits. Each pulse train at points (D) and (E) is amplified and isolated using a common emitter configuration of a transistor (SL100) amplifier and pulse transformer and fed to the gates of the respective thyristor. The pulse transformer provides isolation for gate pulses. The circuit details are shown in Fig. 4.2 marked as (3).

Thus a control circuit is developed for an inverter with provision for variable frequency.

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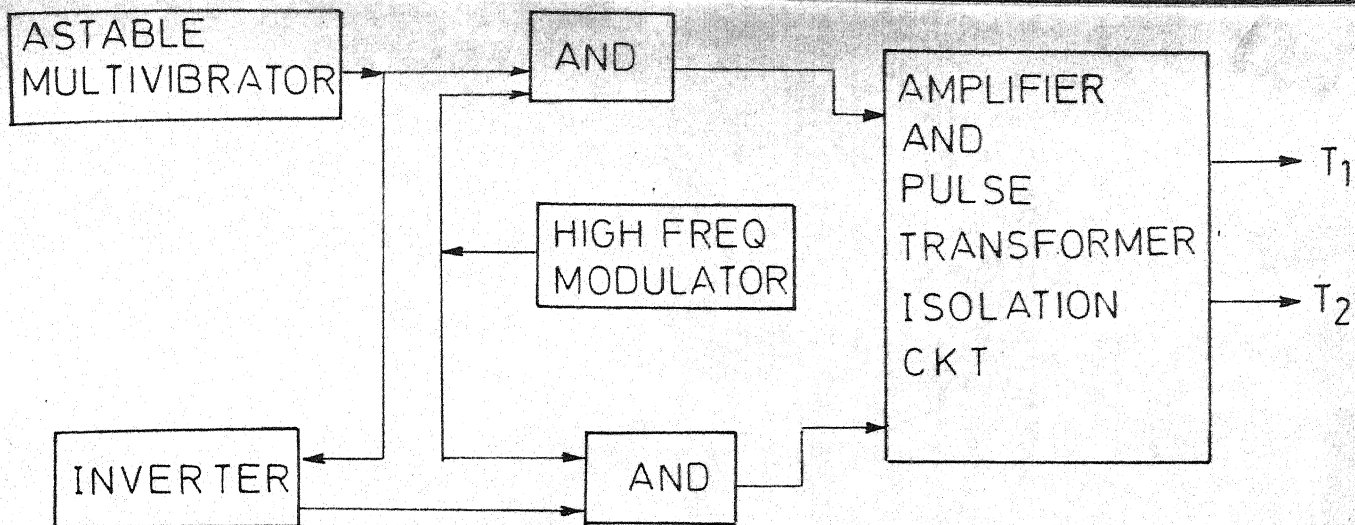


FIG. 4.1(a) BLOCK DIAGRAM OF FIRING SCHEME FOR INVERTER

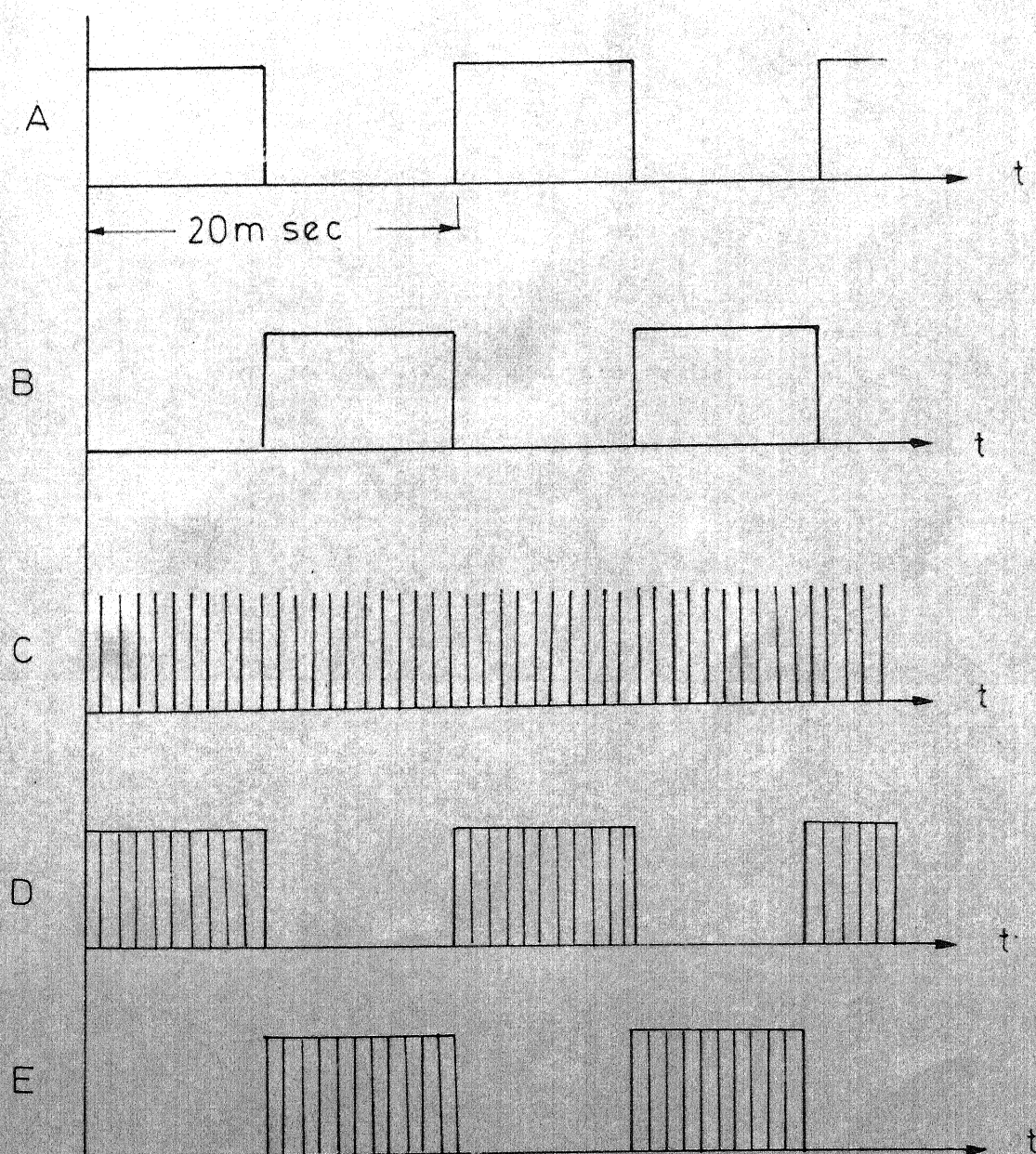


FIG. 4.1(b) TRIGGERING PULSES TO THYRISTORS IN THE 1- $\phi$  INVERTER



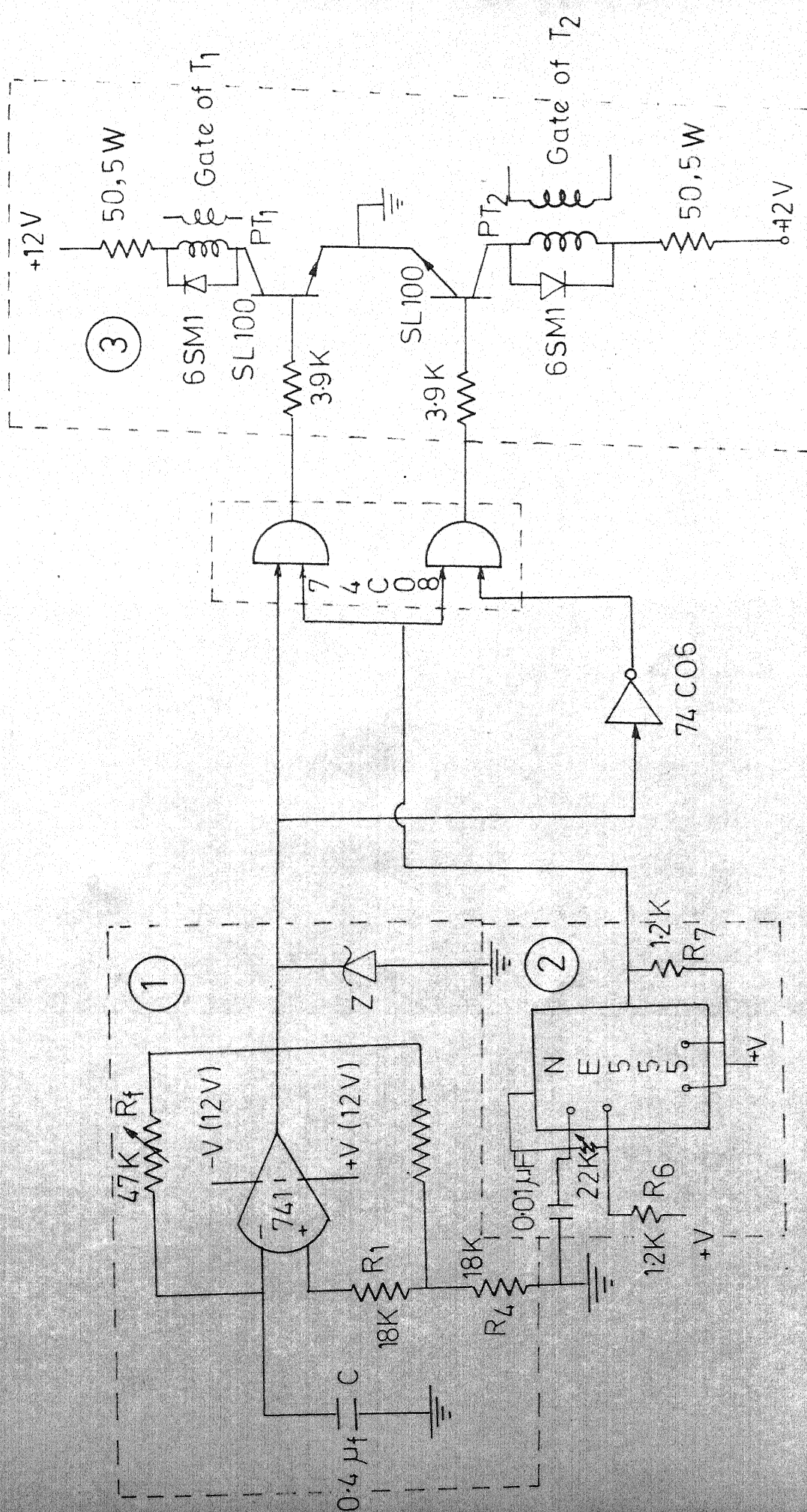


FIG.4.2 DETAILED CIRCUIT DIAGRAM FOR THE INVERTER

### 4.3 TRIGGERING CIRCUIT FOR CHOPPER

The main block diagram of the firing circuit for a chopper is shown in Fig. 4.3(a). This gives, the triggering pulses to the thyristors  $T_{M1}$ ,  $T_{M2}$  and  $T_c$  as shown in Fig. 4.3(b). The frequency of the chopper is decided by allowing the minimum on and off times of the main thyristor and practical limitations of the commutation circuit components. The frequency for this system was chosen as 250 Hz. The circuit diagram details is shown in Fig. 4.4. An astable multivibrator is used to get a square wave (I) of this frequency. Output of monostable multivibrator which is, triggered at the positive edge of (I), is applied to the gates of thyristors  $T_{M1}$  and  $T_{M2}$  after being amplified and isolated by a pulse transformer. The wave (J) is used to generate a ramp (K) of the same frequency and compared with a d.c. signal which can be varied. The output of the comparator (L) is used to trigger a monostable multivibrator. This signal (M) is given to the gate of the auxiliary thyristor  $T_c$  after an amplifier and pulse transformer. The on time of the main thyristor can be varied by changing the d.c. signal to the comparator, which will vary the time at which  $T_c$  is triggered. The associated circuits for different blocks are described below.



### Astable Multivibrator :

The circuit is shown in Fig. 4.4 marked as ①. The working of this circuit has already been described in the previous section. The feedback resistor  $R_f$  is adjusted to give a square-wave of 250 Hz. A CMOS monostable multivibrator (74C221) is triggered at the positive going edge of the square wave. The monostable output (J) is used to trigger both the thyristors  $T_{M1}$  and  $T_{M2}$  by using two different amplifiers and pulse transformers.

### Ramp Generator :

The circuit is shown in Fig. 4.4 marked as ②. This is basically an integrator circuit with a slight modification. The input to the inverting terminal of the op-amp is the monostable output (J). The non-inverting terminal is kept at 0.6V by a diode as shown. The feedback path is a parallel combination of a capacitor and a zener diode.

In the circuit, R and C provide the timing, so that adjusting  $R_1$  changes the frequency of operation. Since the voltage on  $R_1$  is + V and 0, the summing point voltage of op-amp remains at 0.6 V (due to feedback). The current through  $R_1$  is constant, thus charging the capacitor with constant current. When the inverting terminal is low, the capacitor gets charged linearly to + V and when the input to the inverting terminal is high, the discharge resistance ( $R_1$ ) being low, the capacitor discharges very fast. Thus the waveform

(K) is obtained.

This ramp is compared with a d.c. level with the help of an op-amp comparator as shown in Fig. 4.4, marked (3). The output of the comparator (L) is inverted with the help of a CMOS NAND gate: (74C00) and fed to a monostable multivibrator (74C221). It triggers the monostable at the positive edge (M) and this signal is applied to the auxiliary thyristor  $T_c$ .

Amplifier and Pulse Transformer :

The monostable outputs (J) and (M) are amplified using a transistor SL100 with common emitter configuration and applied into the gates through pulse transformers. Pulse transformers are used at the output stage to provide isolation. This is shown in Fig. 4.6 marked as (4).

Thus a reliable triggering circuit has been designed for the chopper. But this does not provide the precaution necessary while starting the choppers. When the triggering pulses are given to the thyristors, it should be ensured that the commutating capacitor is charged initially. If this is not done, commutation failure will take place and large short circuit current will flow, which may damage the thyristors. To avoid this, the auxiliary thyristor must be triggered first, so that the commutating capacitor gets charged. This is done by incorporating a time delay circuit in the firing scheme.

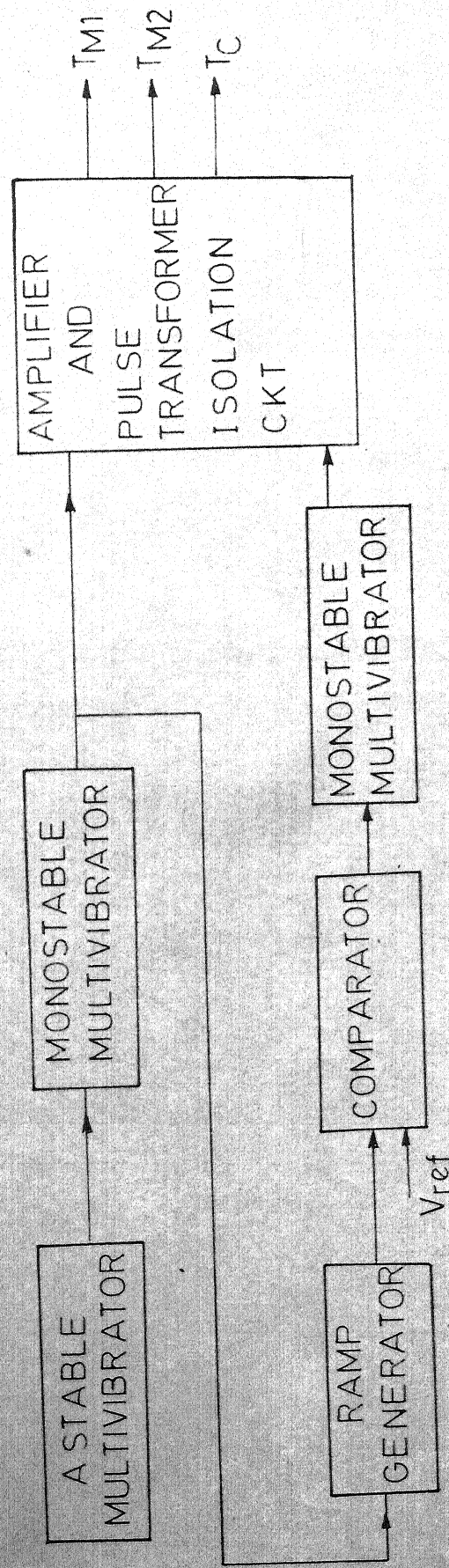


FIG. 4.3(a) BLOCK DIAGRAM OF FIRING SCHEME FOR CHOPPER

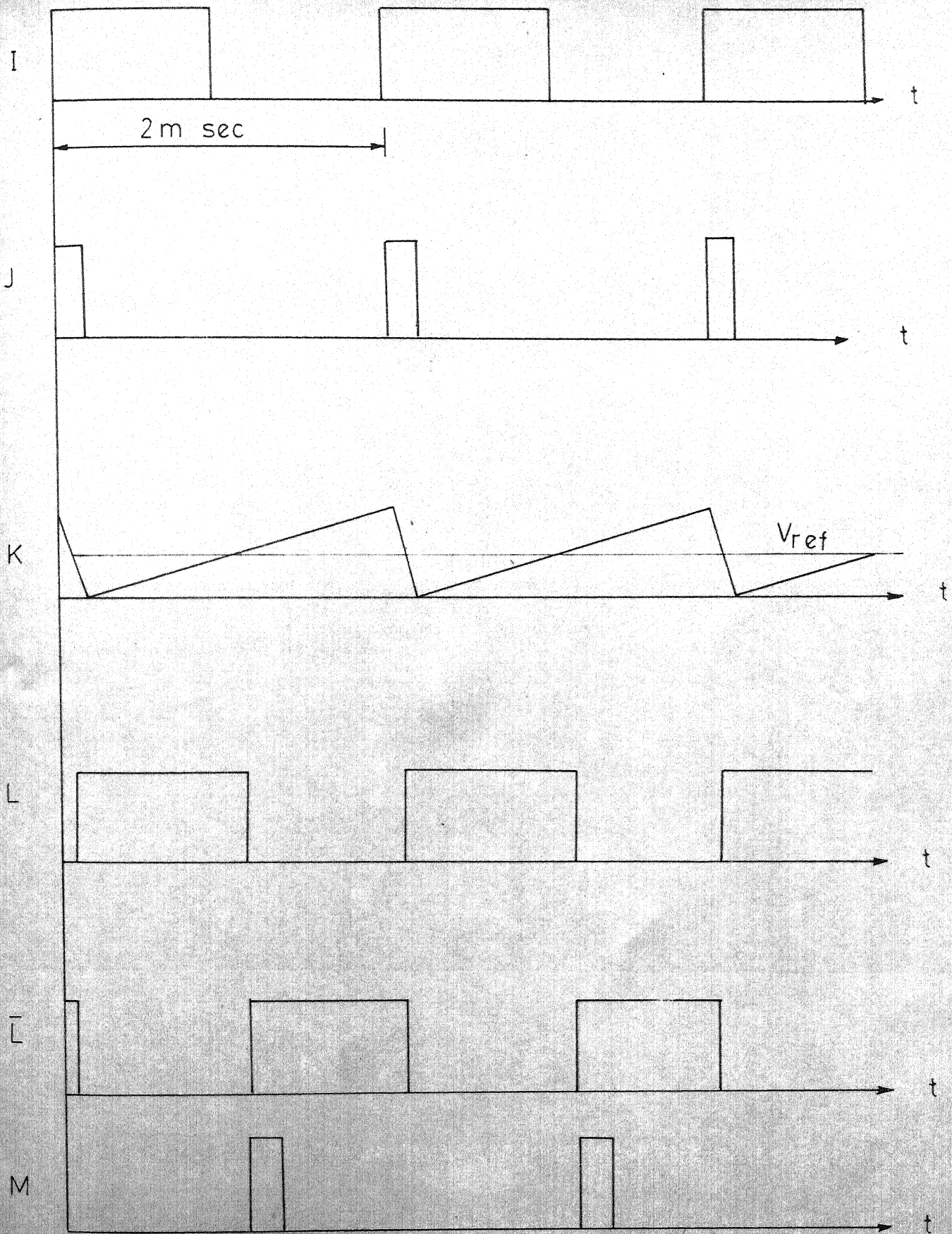


FIG. 4.3(b) TRIGGERING PULSES TO THYRISTORS  
IN THE STEP UP CHOPPER



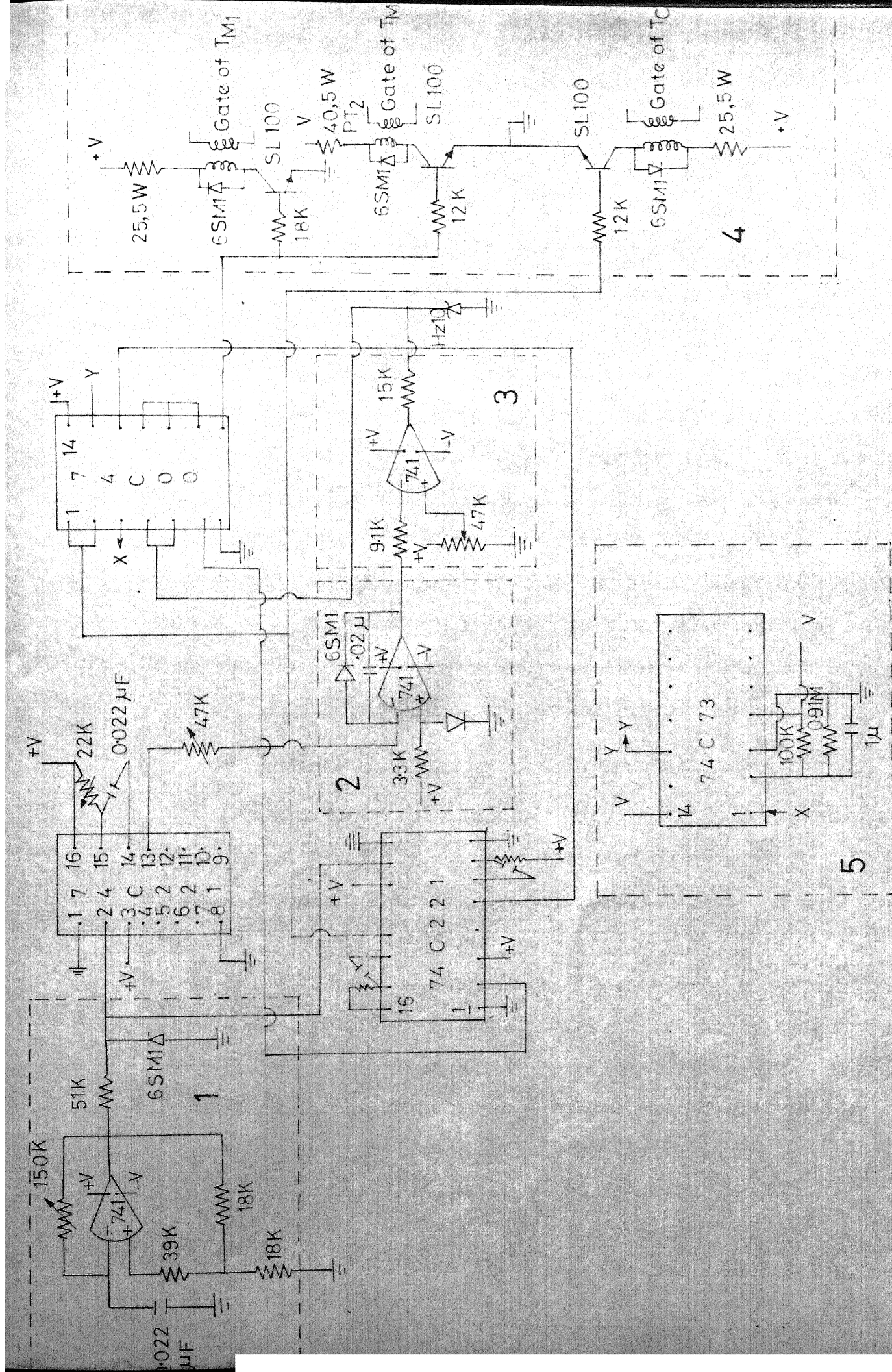


FIG. 4.4 DETAILED CIRCUIT DIAGRAM FOR THE CHOPPER

### Time Delay Circuit :

A J-K flip-flop (74C73) shown in the Fig. 4.4 marked as ⑤ is used to give the time delay between the pulses to auxiliary and main thyristor. The delay time is set by the charging of an R-C circuit. The triggering signal to the main thyristors  $T_{M1}$  and  $T_{M2}$  are given through the flip-flop and directly to the auxiliary thyristor  $T_c$ . When the triggering signals are applied,  $T_{M1}$  and  $T_{M2}$  get the gate pulses only after the capacitor of the R-C circuit is charged to  $+V$  and sets the flip-flop. During this time, the commutating capacitor gets charged and is ready for commutation. Thus the problem of short circuit is taken care of. The time delay incorporated in the actual circuit is 1 msec.

### 4.4 CONCLUSIONS

A design scheme of the triggering circuit, for a single-phase inverter and d.c. step up chopper has been explained in this chapter. The inverter triggering circuit is a variable frequency triggering pulse circuit and is simple to design with minimum components. The chopper triggering circuit has a variable on-time, constant frequency triggering pulse and with slight changes, variation in frequency can be achieved. The inherent problem of short circuit in the chopper has been overcome by a delay circuit.

analysed to predict the speed-torque characteristics of a 1- $\phi$  induction motor using equivalent circuit model. Since the input to the induction motor is non-sinusoidal, harmonic components are also generated. These components are determined using harmonic equivalent circuits based on the Fourier series approach. The motor is modelled by the conventional equivalent circuit for each of the harmonic frequencies, using appropriate value of slip for such frequency. The study reveals that the magnetization characteristic of the motor gets saturated as the current increases. The saturating effect is quite predominant at higher values of current. The torque-speed characteristics are obtained considering saturation effects. Some qualitative explanation is given with regard to harmonic magnetizing inductance when the fundamental magnetizing inductance saturates. The effect of harmonics on the torque-speed characteristics is also studied. Lastly, the torque-speed characteristics obtained from the experimental set-up are compared with the theoretical characteristics..

## 5.2 DETERMINATION OF DIFFERENT MODES IN 1- $\phi$ PARALLEL INVERTER WITH SERIES DIODES

Figure 5.1 shows the circuit diagram of the modified parallel inverter. It is seen that continuity of the direct current fed through  $L_d$  forces atleast one of the thyristors  $T_1$  or  $T_2$  to conduct at all times. Further,

capacitor  $C$  allows only one thyristor at a time to conduct. During the half cycle in which  $T_1$  is conducting, the equivalent circuit of the inverter is as shown in Fig. 5.2, which can be further reduced to one of the three topological modes :

Mode I: Diode  $D_1$  blocking and diode  $D_2$  conducting

Mode II: Both diodes conducting

Mode III : Diode  $D_1$  conducting and diode  $D_2$  blocking

The load consisting of a sinusoidal counter emf in series with an inductance is assumed as a simplified representation of a motor. The capacitor voltage  $v_c$  must be initially positive and must become negative before the end of the half cycle. A similar set of three modes can occur in the other half cycle when thyristor  $T_2$  is conducting :

Mode I'      Diode  $D_2$  blocking and diode  $D_1$  conducting

Mode II'      Both diodes conducting

Mode III'    Diode  $D_2$  conducting and diode  $D_1$  blocking

With the following modifications, the same equations can be used for the half cycle in which  $T_2$  is conducting :  
 (a) the counter emf is reversed, (b) the capacitor voltage is reversed, and (c) currents  $i_1$  and  $i_2$  in the diodes  $D_1$  and  $D_2$  are interchanged. Therefore, only the equations for modes I, II and III are to be solved and the other half cycle can be taken care of with the above modification.



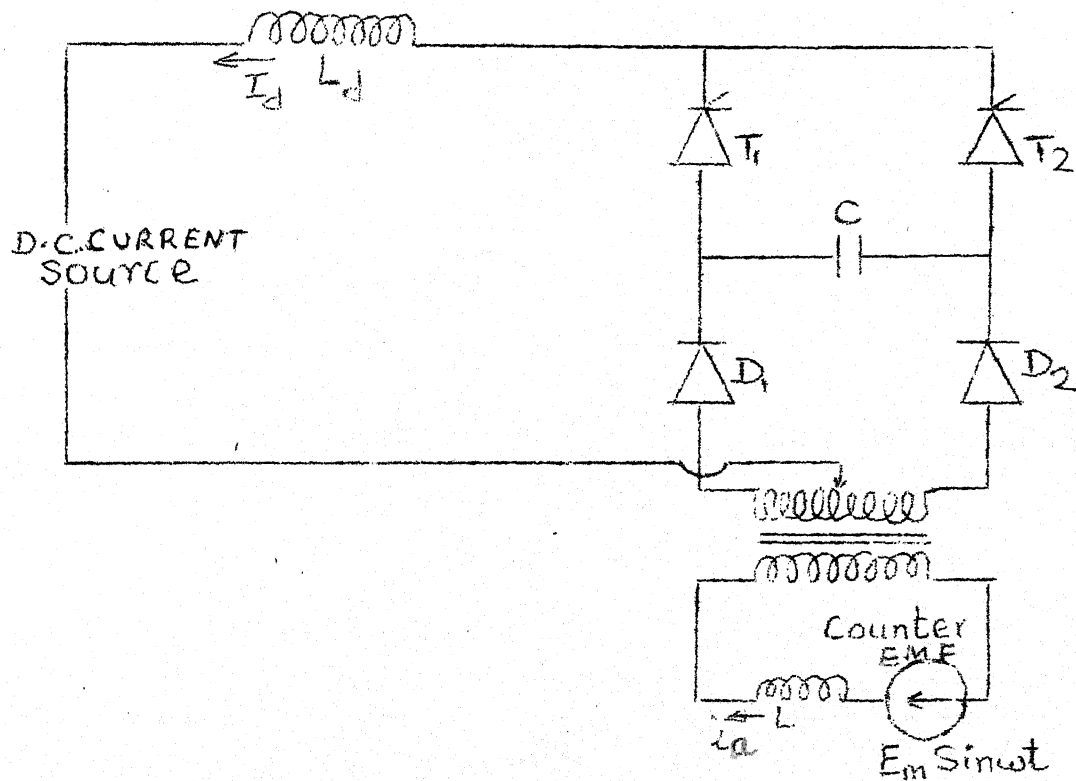


Fig. 5.1 SINGLE PHASE CURRENT FED INVERTER WITH LOAD

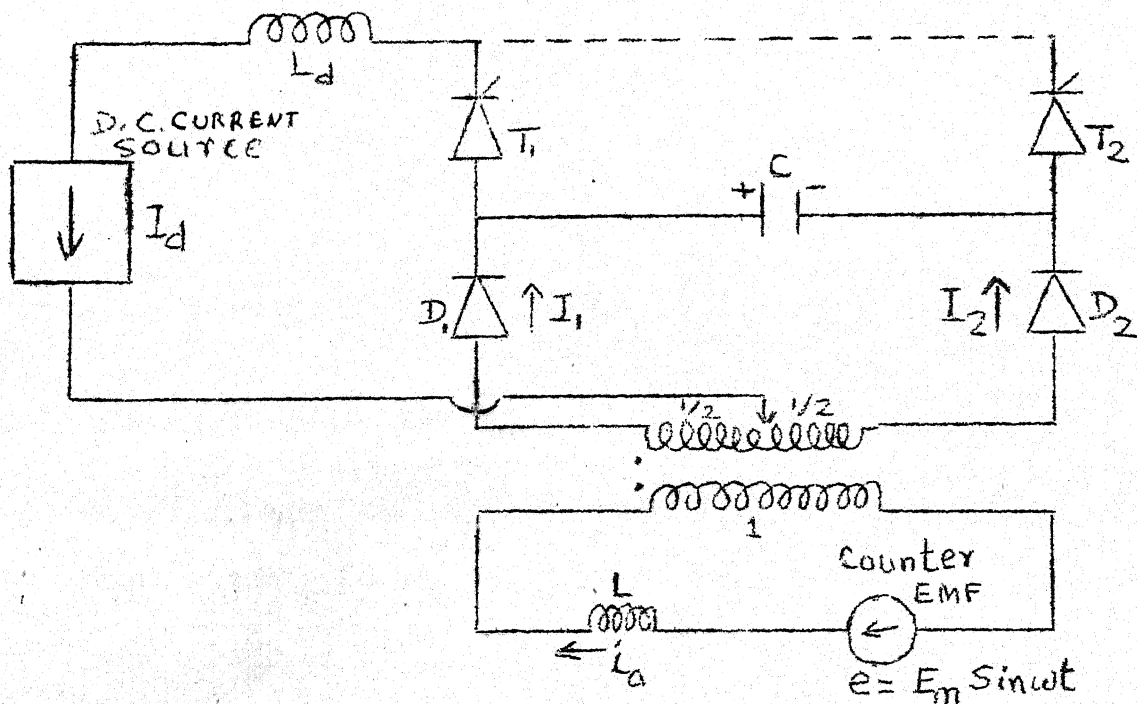


Fig. 5.2 EQUIVALENT CIRCUIT WITH  $T_1$  CONDUCTING.

In the equations to be developed for each of the modes, the time zero is assumed to be at the beginning of the mode. Thus when using the results, the time zero must be redefined. The following initial conditions must be redefined at the start of each mode, being the final values of the previous modes.

$\theta$  = initial phase lag angle with respect to counter emf  $e$

$V_i$  = initial value of capacitor voltage  $v_c$

$I_i$  = initial value of current  $i_2$  in diode  $D_2$

Here, the current  $i_2$  is chosen arbitrarily as the state variable and other currents  $i_1$  and  $i_a$  are related to  $i_2$  by the following identities in all modes.

$$\text{Direct current } I_d = i_1 + i_2 \quad (5.1)$$

$$\text{Instantaneous load current } i_a = \frac{1}{2}(i_1 - i_2) \quad (5.2)$$

The equation for the counter emf remains the same for all the modes, although time  $t$  and  $\theta$  are to be redefined at the start of each mode.

$$e = E_m \sin(\omega t + \theta)$$

The analysis is carried out in the normalized form, with the selection of peak counter emf  $E_m$  as the base value.

Base voltage -  $E_m$

Base angular frequency -  $\omega_0 = \frac{1}{\sqrt{LC}}$

$$\text{Base impedance} - X_o = \sqrt{\frac{L}{C}}$$

$$\text{Base current} - I_o = \frac{E_m}{X_m} = E_m \sqrt{\frac{C}{L}}$$

A parameter  $K$  is defined which is the ratio of the operating frequency  $\omega$  to the base frequency  $\omega_o$ .

$$K = \omega/\omega_o$$

### 5.2.1 Mode I :

Thyristor  $T_1$  and  $D_2$  are conducting,  $D_1$  and  $T_2$  are blocking. During this mode, the equivalent circuit comprises of transformer, diode  $D_2$ , capacitor  $C$ , thyristor  $T_1$  and inductance  $L_d$ . The capacitor  $C$  discharges linearly as constant dc current passes, from its initial voltage  $V_i$ . The load current in the secondary is also of constant magnitude and therefore no voltage is induced in the load inductance  $L$ .

$$i_1 = 0 \quad (5.4)$$

$$i_2 = I_i = I_d \quad (5.5)$$

$$i_a = \frac{1}{2}(i_1 - i_2) = -\frac{I_d}{2} \quad (5.6)$$

$$C \frac{dV_c}{dt} = -I_d$$

or

$$V_c = V_i - \frac{I_d}{C} \cdot t \quad (5.7)$$

For Mode I to continue, capacitor voltage  $V_c$  must exceed  $e$  i.e.,

$$v_c > e$$

When  $v_c$  becomes less than  $e$ , diode  $D_1$  starts conducting and Mode II starts. Before  $v_c$  becomes less than  $e$ , if  $T_2$  is triggered, Mode III' starts. But this is possible only if  $v_c$  is less than zero at that time.

### 5.2.2 Mode II :

Thyristor  $T_1$ , diode  $D_1$  and diode  $D_2$  are conducting, thyristor  $T_2$  is blocking. Here, the initial condition for  $I_i = I_d$ , if the previous mode was Mode I and  $I_i = 0$  if previous mode was Mode III. For both the previous modes,  $V_i = E_m \sin \theta$ .

The following are the equations for this mode :

$$L \frac{di_2}{dt} = v_c - e \quad (5.8)$$

$$C \frac{dv_c}{dt} = -i_2 \quad (5.9)$$

Taking Laplace transforms, we get

$$s i_2(s) - I_i = \frac{V_c(s) - e(s)}{L} \quad (5.10)$$

$$s V_c(s) - V_i = \frac{-i_2(s)}{C} \quad (5.11)$$

Solving the above simultaneous equations for  $i_2(s)$  and  $V_c(s)$ , and taking the Laplace inversion of it, we get

$$\begin{aligned}
v_c(t) = & - \left[ \frac{I_i}{\omega_0 C} + \frac{\omega_0 \omega}{\omega_0^2 - \omega^2} E_m \cos \theta \right] \sin \omega_0 t \\
& - \left[ \frac{\omega_0^2}{\omega_0^2 - \omega^2} E_m \sin \theta - V_i \right] \cos \omega_0 t \\
& + \frac{\omega_0^2}{\omega_0^2 - \omega^2} E_m \sin(\omega t + \theta)
\end{aligned} \tag{5.12}$$

$$\begin{aligned}
\text{and } i_2(t) = & - C \frac{dv_c}{dt} = \left[ I_i + \frac{\omega_0^2}{\omega_0^2 - \omega^2} C E_m \cos \theta \right] \cos \omega_0 t \\
& - \omega_0 C \left[ \frac{\omega_0^2}{\omega_0^2 - \omega^2} E_m \sin \theta - V_i \right] \sin \omega_0 t - \\
& \frac{\omega_0}{\omega_0^2 - \omega^2} C E_m \cos(\omega t + \theta)
\end{aligned} \tag{5.13}$$

$$\text{Current } i_1 = I_d - i_2 \tag{5.14}$$

For this mode to end,

- (a)  $i_2 = 0$  before  $i_1 = 0$ , Mode III follows
- (b)  $i_1 = 0$  before  $i_2 = 0$ , Mode I follows
- (c) thyristor  $T_2$  is fired before current zero occur, but  $v_c$  has become negatives, Mode 2' follows.

### 5.2.3 Mode III :

Thyristor  $T_1$  and diode  $D_1$  are conducting, thyristor  $T_2$  and diode  $D_2$  are blocking. The circuit for this mode comprises of transformer, diode  $D_1$ , thyristor  $T_1$  and  $L_d$ . Capacitor voltage remains constant and as load current is constant, no

voltage is induced in the load inductance  $L$ .

The following are the equations for this mode :

$$i_1 = I_d \quad (5.15)$$

$$i_2 = I_i = 0 \quad (5.16)$$

$$i_a = \frac{1}{2}(i_1 - i_2) = \frac{I_d}{2} \quad (5.17)$$

$$v_c = V_i \quad (5.18)$$

This mode continues till the capacitor voltage  $v_c$  is less than the counter emf  $e$ . If  $v_c > e$ , diode  $D_2$  starts conducting and mode II starts. If  $T_2$  is fired before  $v_c > e$ , then mode I' starts.

The above procedure to compute the various voltages and currents can be easily implemented in the digital computer. The waveforms obtained by this method is shown in Fig. 5.3(a) and the oscillographs are shown in Fig. 5.3(b). In the present application, the operation at the constant frequency is fixed. For this frequency, it was observed that with the change of  $I_d$ , only the amplitude of  $i_a$ ,  $v_c$  and  $e$  changed but the modes of operation were I, II, III.

### 5.3 DETERMINATION OF TORQUE-SPEED CHARACTERISTICS OF A 1- $\phi$ INDUCTION MOTOR

The performance equations of a single-phase machine can be derived from its equivalent circuit, using the double

P.u. capacitor voltage ( $v_c$ )P.u. load current ( $i_d$ )

P.u. back (emf)

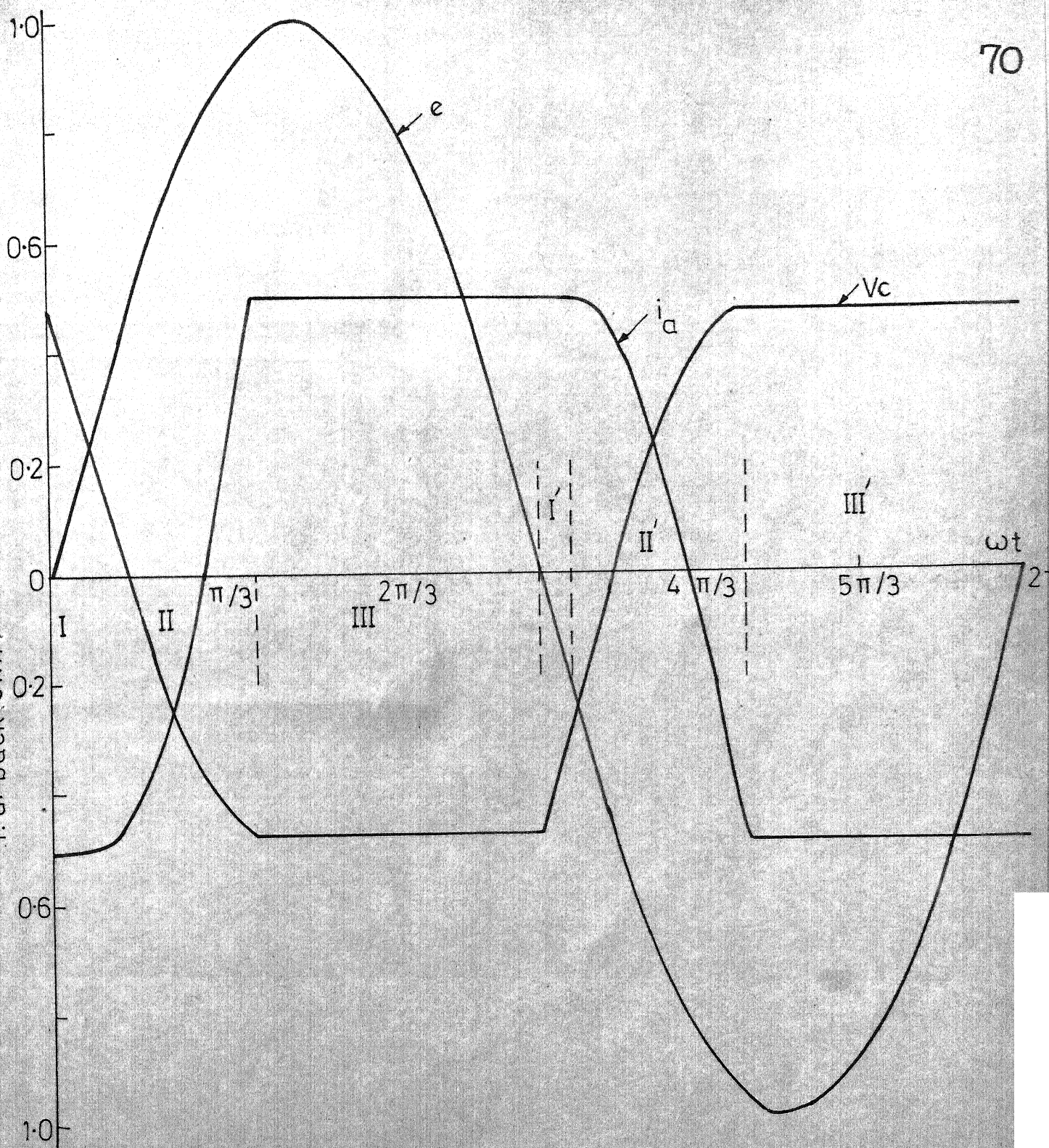


FIG. 5-3 (a) WAVEFORMS FOR  $\omega/\omega_0 = 1.0$ ,  $I_d = 1.0$  pu WITH DIFFERENT MODES



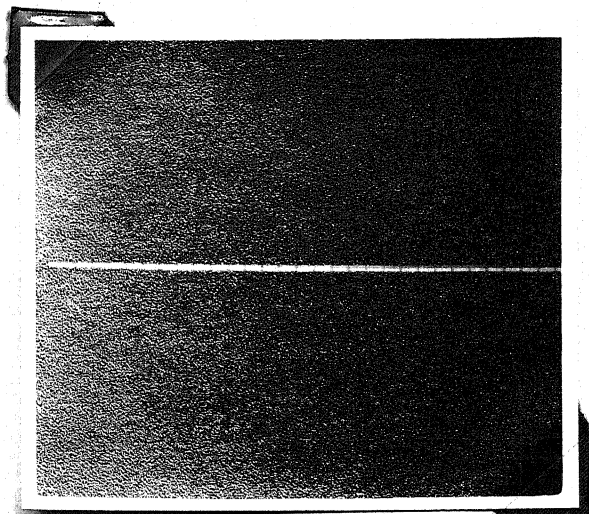


Fig. 5.3 (b) (i)

Inverter capacitor voltage  
Scale: X-Axis - 5 msec/cm  
Y-Axis - 100 V/cm.

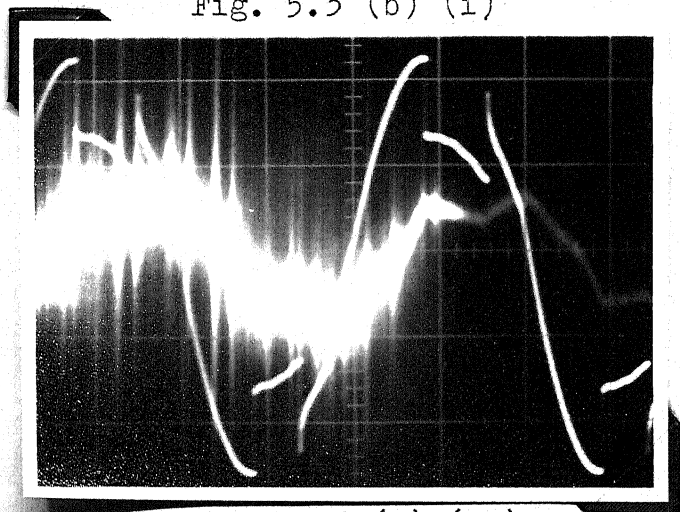


Fig. 5.3 (b) (ii)

Load voltage and load current  
Scale : X-axis - 5 msec/cm  
Y-axis - 10 mV/cm for  
current  
- 100 V/cm for  
voltage



revolving field theory. When the stator is excited by a single-phase supply, a pulsating field is produced. This pulsating field, for the analysis purpose, can be resolved into two fields rotating in opposite directions at synchronous speed. The amplitude of each field is one-half of that of the main field. When the machine is at standstill, torques equal in magnitude and opposite in direction are produced by these two fields. Therefore, there is no resultant torque for starting. Once it is started, the field which is rotating in the same direction as that of the rotor constitutes the main field while the backward field decreases to a negligible value. The slip of the rotor with respect to the forward field is given by  $S_f = \frac{n_s - n}{n_s}$  and the slip of the rotor with respect to the backward field is given by  $S_b = \frac{n_s + n}{n_s}$ .  $= 2 - S_f$  where  $n_s$  and  $n$  are the synchronous and rotor speed respectively.

The load current obtained from the single phase current source inverter is somewhat a squarewave. By Fourier analysis, this can be represented by a fundamental together with a series of time harmonics. The waveform, possessing half-wave symmetry does not contain any even harmonics. The odd harmonic currents produce torque which alternately aids and opposes the fundamental torque (17). Moreover, these torques are quite small compared to the rated torque and the total is negligibly small negative torque. The slip of the rotor for

the  $N$ th harmonic stator excitation is  $S_N \pm = \frac{N \pm (S_f - 1)}{N}$  (positive sign for the forward field) and negative sign for the backward field). If the motor speed varies from synchronous speed to standstill, the fundamental slip,  $S_f$ , varies from 0 to 1, but for the third and fifth harmonics,  $S_3$  and  $S_5$  varies from 0.67 to 1 and 0.8 to 1. Thus the total harmonic torques, which is very low, affects the overall torque at very high slip (18). The normal working range of the motor is from  $S = 0$  to  $S = 0.2$  and so the harmonic torques can be neglected.

### 5.3.1 Method of Analysis

The load current is not sinusoidal. After the steady sequence of modes has been determined, the load current can be written in a general form

$$i_a(x) = \frac{a_0}{2} + \sum_{n=1}^{\infty} (a_n \cos n x + b_n \sin nx) \quad (5.19)$$

where  $a_0 = 0$ , as there is no d.c. component,  $a_n$  and  $b_n$  are defined as follows :

$$a_n = \frac{1}{\pi} \int_0^{2\pi} i(x) \cos nx \, dx \quad (5.20a)$$

$$b_n = \frac{1}{\pi} \int_0^{2\pi} i(x) \sin nx \, dx \quad (5.20b)$$

The resultant peak magnitude  $I_m$  is given by

$$I_m = \sqrt{a_n^2 + b_n^2} \quad (5.21a)$$

$$\text{and phase angle } \phi = \tan^{-1} \left( -\frac{a_n}{b_n} \right) \quad (5.21b)$$

The torque speed characteristics are obtained by considering : (i) Total rms current, (ii) Fundamental rms current.

The equivalent circuit shown in Fig. 5.4 is valid for sinusoidal supply. Here the inverter is fed by a current source. For a given source current, for low values of slip all the source current must flow through the magnetising reactance  $X_{m1}$ . This will saturate  $X_{m1}$ . It is therefore necessary to incorporate saturation of  $X_{m1}$  in the analysis. This is very much required for the magnetizing branch especially when slip increases.

The open circuit magnetization characteristic is shown in Fig. 5.5. The dotted portion is obtained after correcting for the drops across stator impedance and backward parallel branch. This curve also represents the relation between the fundamental frequency flux linkage of the stator windings to the fundamental frequency magnetizing current. Therefore, in per unit system operating point slope gives the fundamental magnetizing inductance. Because the forward and backward

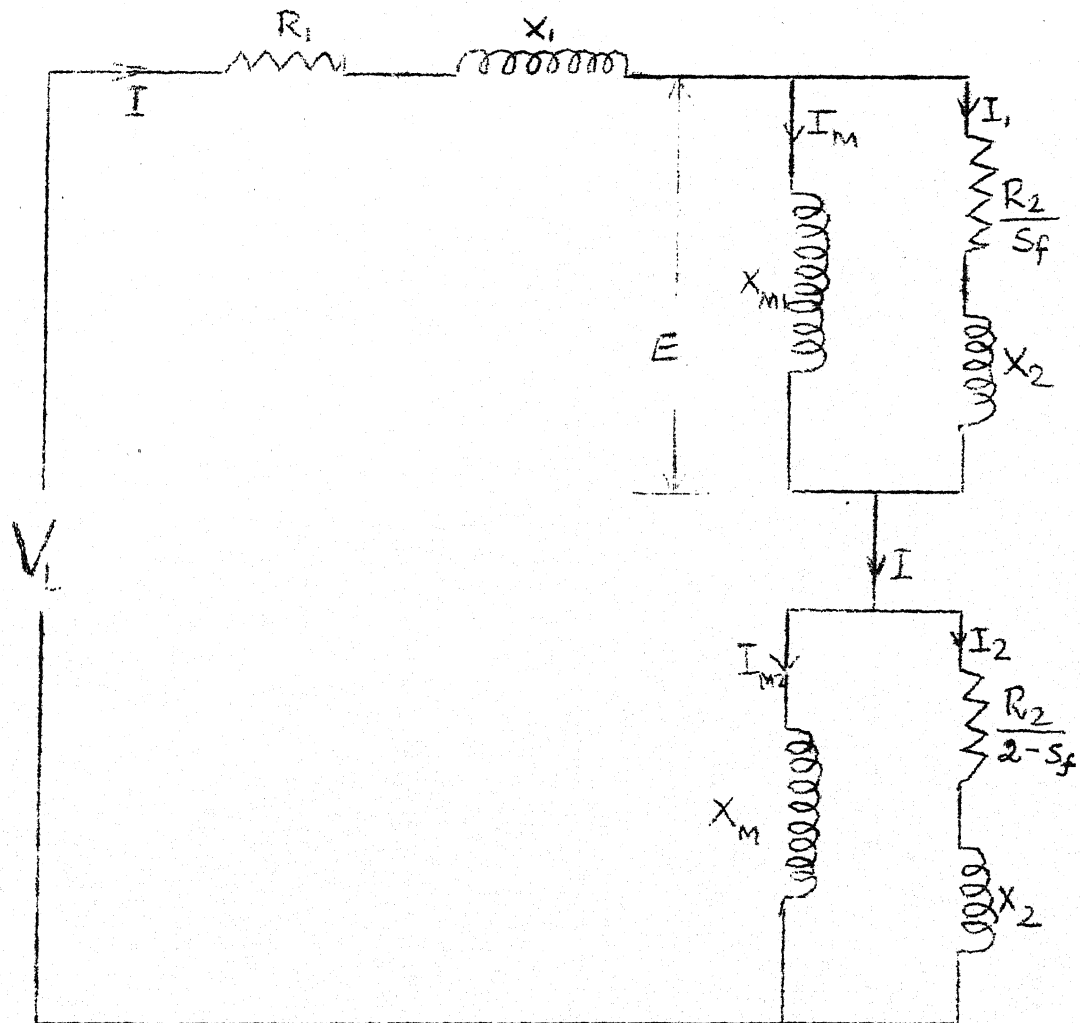


Fig. 5.4 EQUIVALENT CIRCUIT OF SINGLE PHASE INDUCTION MOTOR

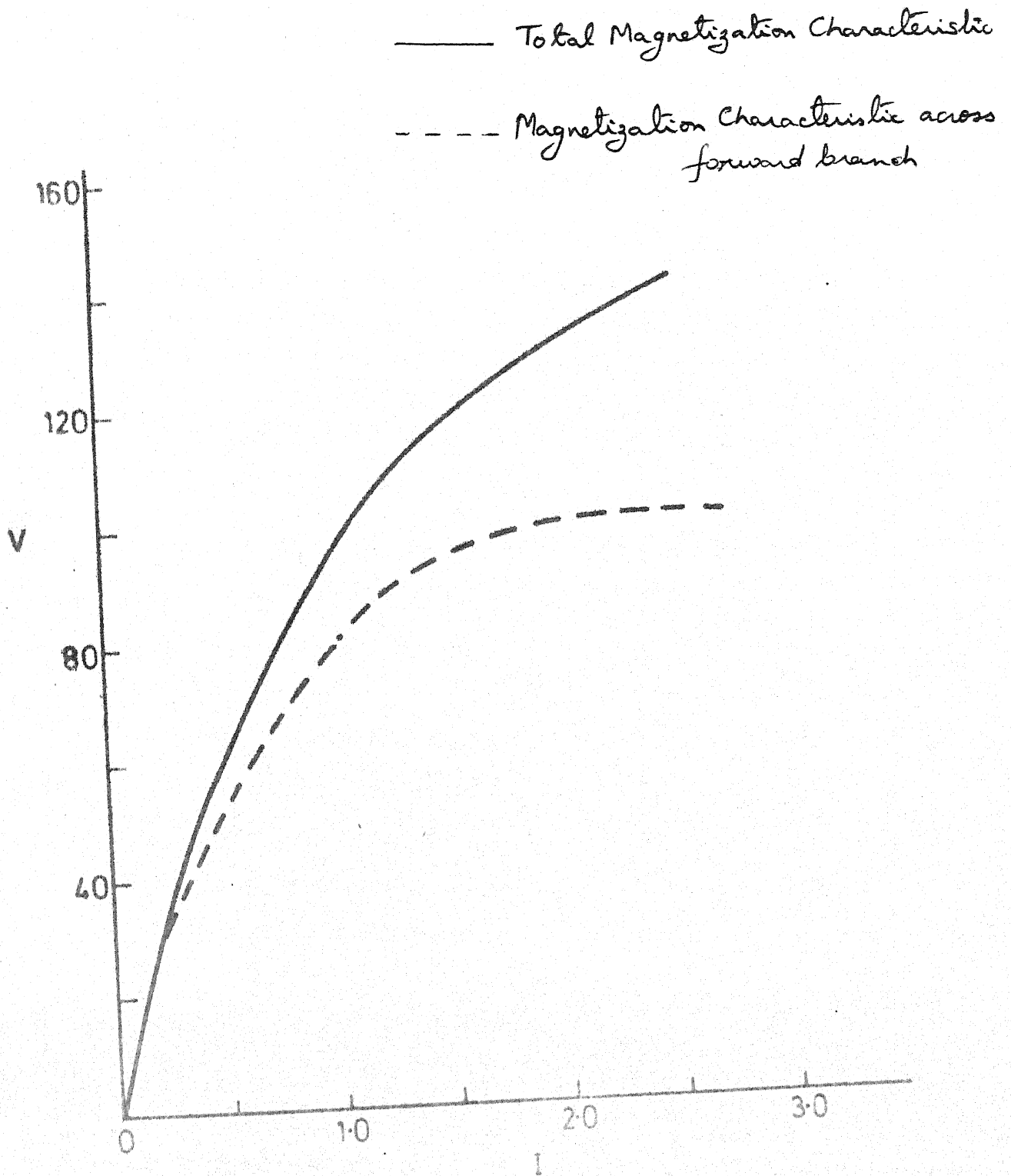


FIG-55 NO-LOAD MAGNETIZATION CHARACTERISTICS

revolving harmonic mmf space vectors have almost the same magnitude as the fundamental slip varies from 1 to 0, they do not produce either amplitude or phase modulation of the fundamental space vector. Hence the harmonic magnetizing inductance is the same as the fundamental magnetizing inductance.

To obtain  $X_{M1}$  which is a function of  $i_a$ , the single-phase induction motor is run at synchronous speed with the help of a d.c. shunt motor which is coupled to it. Keeping it at synchronous speed, some known a.c. voltage  $V$  is applied to the stator of the induction motor and the a.c. current  $I$  is noted. The equivalent circuit at the synchronous speed is shown in Fig. 5.6. Except  $X_{M1}$ , all the other values in Fig. 5.6 are obtained from the usual tests described in Appendix A. Thus  $X_{M1}$  is found for a particular current. Stator voltage of the induction motor is varied and  $X_{M1}$  is computed, keeping the speed at synchronous speed. Thus the value of  $X_{M1}$  as a function of current is obtained.

For a particular value of p.u. link current  $I_d$ , the steady state waveform of the inverter load current is determined as explained in Section 5.2. Now, it is necessary to determine the torque producing component of current for both forward and backward fields. This can be obtained from the equivalent circuit of Fig. 5.4. Once the current is computed the slip and effective torque can be determined as explained below :

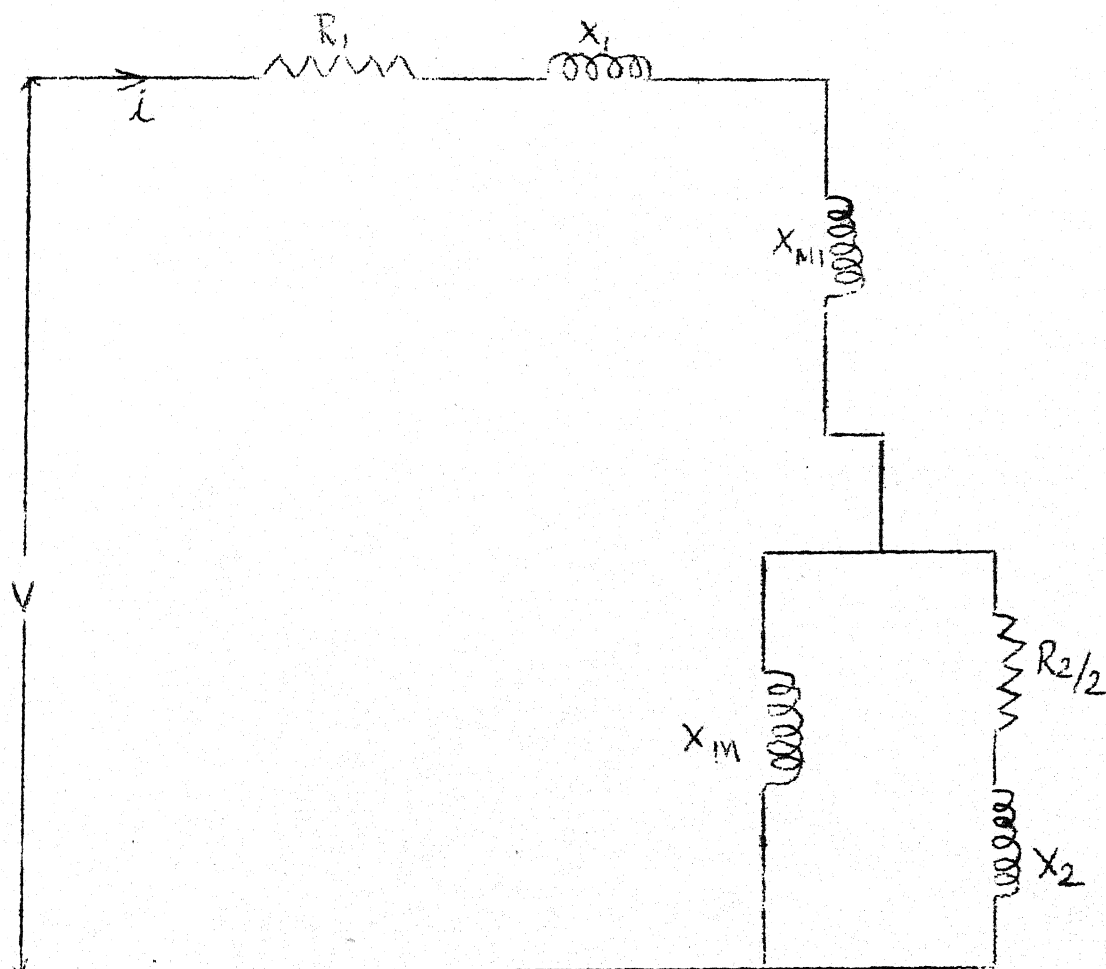


Fig. 5.6 EQUIVALENT CIRCUIT OF SINGLE  
PHASE INDUCTION MOTOR AT SYNCHRONOUS  
SPEED

Let  $E$  be the voltage across the forward branch

$X_{M1}$  is the magnetizing reactance at current  $I_M$

$I$  - rms motor current (or fundamental rms current as the case may be)

$I_1$  - current through  $R_2/S_f$

$I_2$  - current through  $R_2/2-S_f$

$$E = I_M X_{M1} = I_1 \sqrt{\left(\frac{R_2}{S_f}\right)^2 + (X_2)^2} \quad (5.22)$$

$$I_1 = \frac{I X_{M1}}{\sqrt{\left(\frac{R_2}{S_f}\right)^2 + (X_{M1} + X_2)^2}} \quad (5.23)$$

$$(IX_{M1})^2 = I_1^2 \left[ \left(\frac{R_2}{S_f}\right)^2 + (X_{M1}^2 + X_2^2 + 2X_{M1} X_2) \right] \quad (5.24)$$

Substituting (5.22) in the equation (5.24), we get

$$(IX_{M1})^2 = I_1^2 \left[ X_{M1}^2 + 2X_{M1} X_2 \right] + (I_M X_{M1})^2 \quad (5.25)$$

Therefore,

$$I_1 = \sqrt{\frac{I^2 - I_M^2}{1 + \frac{2X_2}{X_{M1}}}} \quad (5.26)$$

From Eqn. (5.22),

$$\left(\frac{R_2}{S_f}\right) = \sqrt{\left(\frac{E}{I_1}\right)^2 - X_2^2} \quad (5.27)$$



$$\text{i.e. } S_f = \frac{R_2}{\sqrt{\left(\frac{E}{I_1}\right)^2 - X_2^2}} \quad (5.28)$$

$$\text{Forward torque } T_F = I_1^2 \frac{R_2}{S_f} \quad (5.29)$$

$$I_2 = \frac{I X_M}{\sqrt{\left(\frac{R_2}{2-S_f}\right)^2 + (X_M + X_2)^2}} \quad (5.30)$$

$$\text{Backward torque } T_B = I_2^2 \frac{R_2}{2-S_f} \quad (5.31)$$

$$\text{Total Torque } T = T_F - T_B \quad (5.32)$$

The procedure which is followed for obtaining the effective torque can be summarized as :

- 1) Machine parameters and the value of  $X_{M1}$  as function of  $I_M$  is obtained
- 2) RMS load current (or rms fundamental current as the case may be) is calculated by Fourier analysis as given by eqns. (5.19) to (5.21).
- 3) A small value of  $I_M$  is chosen and  $X_M(I_M)$  is obtained from the graph.
- 4)  $I_1$  is calculated from eqn. (5.26).
- 5)  $S_f$  and  $T_F$  are calculated from eqn. (5.28) and (5.29).
- 6)  $T_B$  and  $T$  are calculated from eqns. (5.31) and (5.32).

The various points of the speed torque characteristics are calculated following the above mentioned steps, until synchronous speed is reached. At synchronous speed  $I_M \approx I$ .

This condition is utilised to find out when synchronous speed is reached.

The above method for computing total torque is simple and easy to implement in a digital computer. The results obtained by this procedure are discussed below.

#### 5.4 COMPARISON OF PREDICTED AND EXPERIMENTAL RESULTS

The torque-speed characteristic of the 1- $\phi$  induction motor is obtained. These results are compared with the experimental values obtained by the loading test conducted on a single-phase capacitor start induction motor.

The details of the machine are given below :

230 V, 1- $\phi$ , 0.25 hp

$R_1 = 7.63$  Ohms                       $X_1 = 15.52$  Ohms

$R_2 = 4.5$  Ohms                       $X_2 = 7.76$  Ohms,  $X_M = 84.22$  Ohms

The above parameters of the machine are obtained from the usual tests as described in Appendix A. The variation of  $X_{M1}$  with  $I_M$  is shown in Fig. 5.7. The speed-torque characteristics of the machine are obtained using the above procedure as shown in Fig. 5.8. The experimental values are also marked in the figure. The experimental results compare better with the speed-torque characteristics calculated using fundamental rms current rather than the total rms current. This shows that the harmonic currents do not appreciably effect the torque-speed curves.

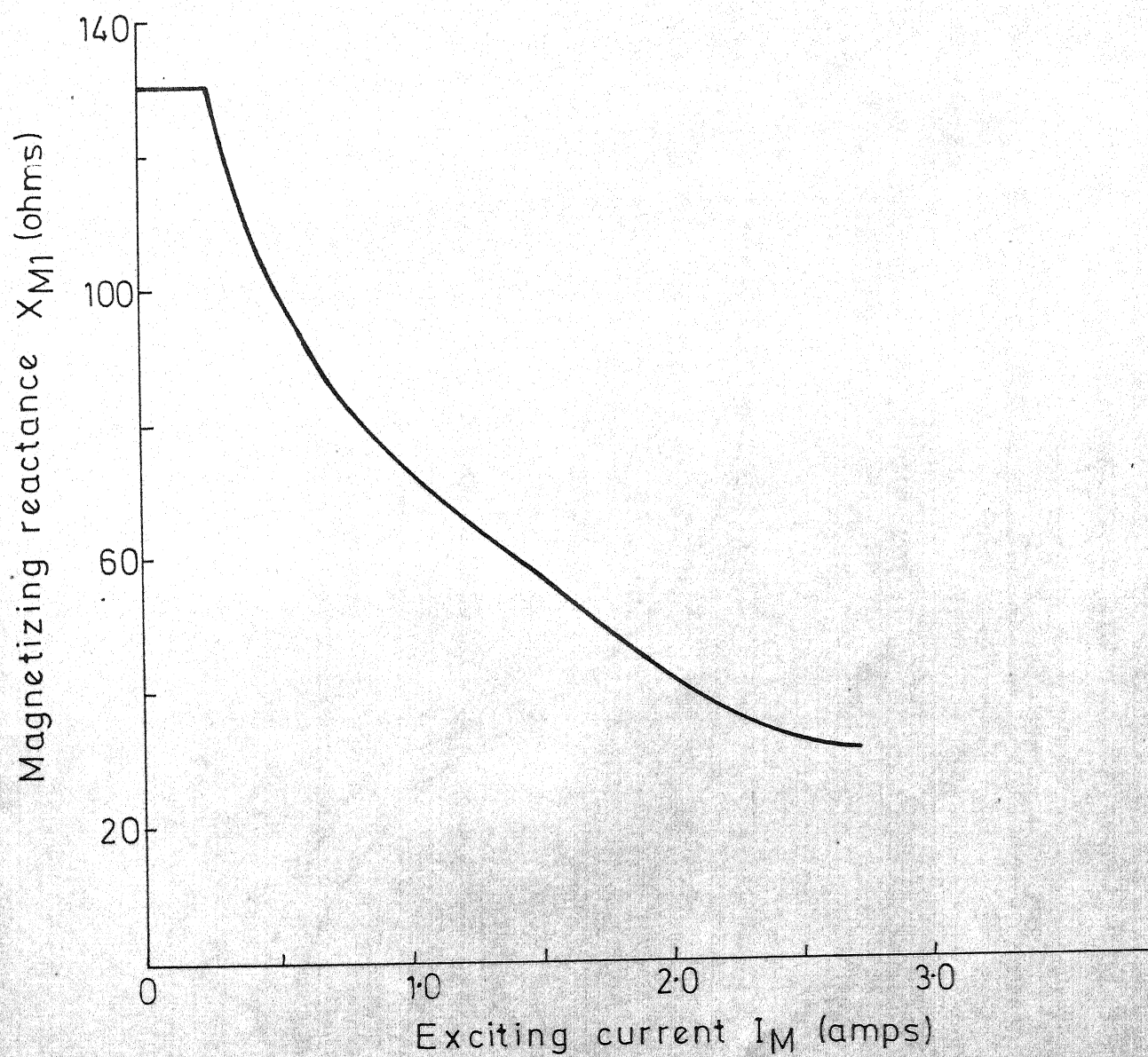
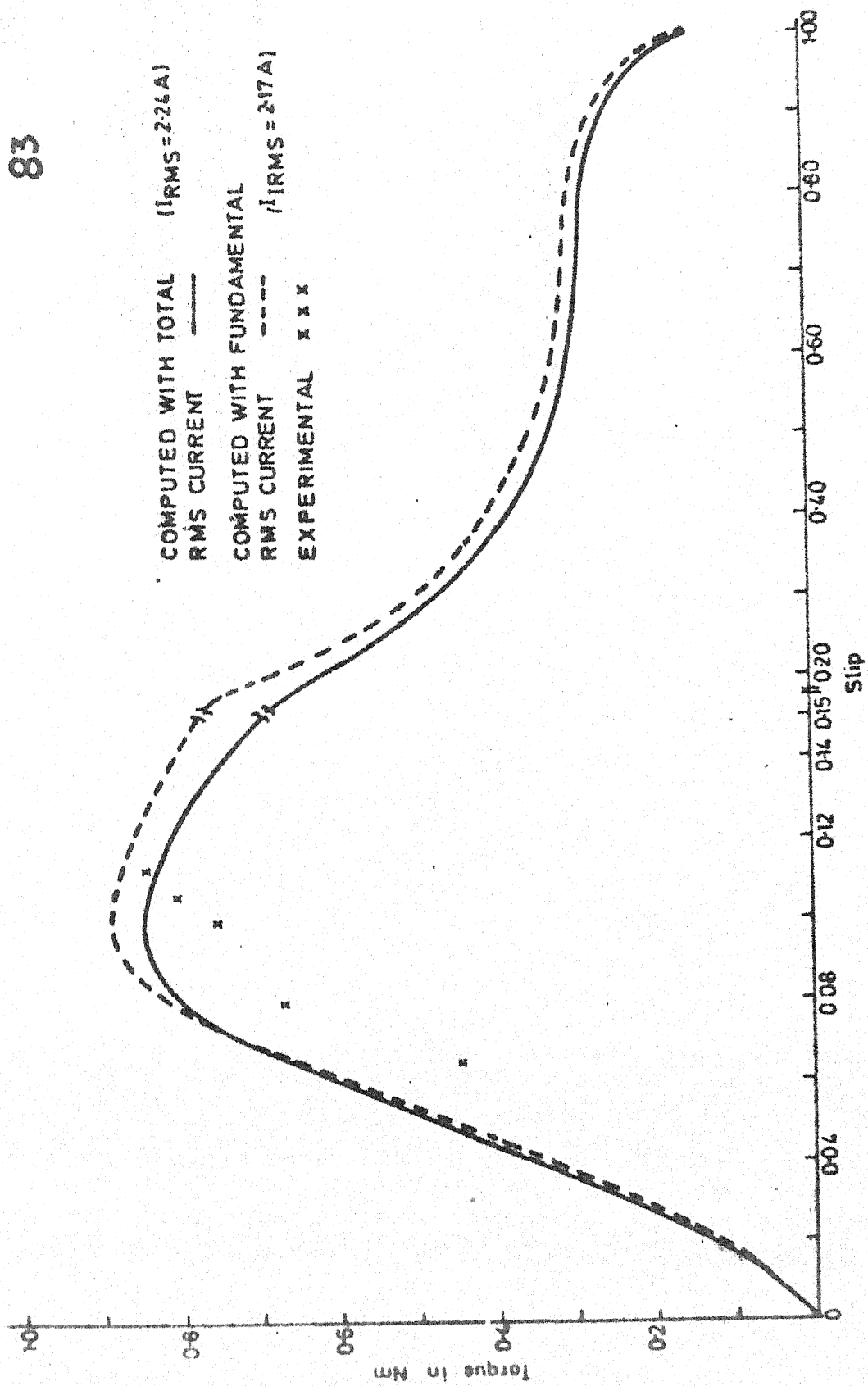


FIG.5.7 VARIATION OF MAGNETIZATION REACTANCE  
WITH EXCITING CURRENT

FIG 5-8 (b) TORQUE SPEED CHARACTERISTICS OF SINGLE PHASE MACHINE WITH  $I_d = 1$  pu.

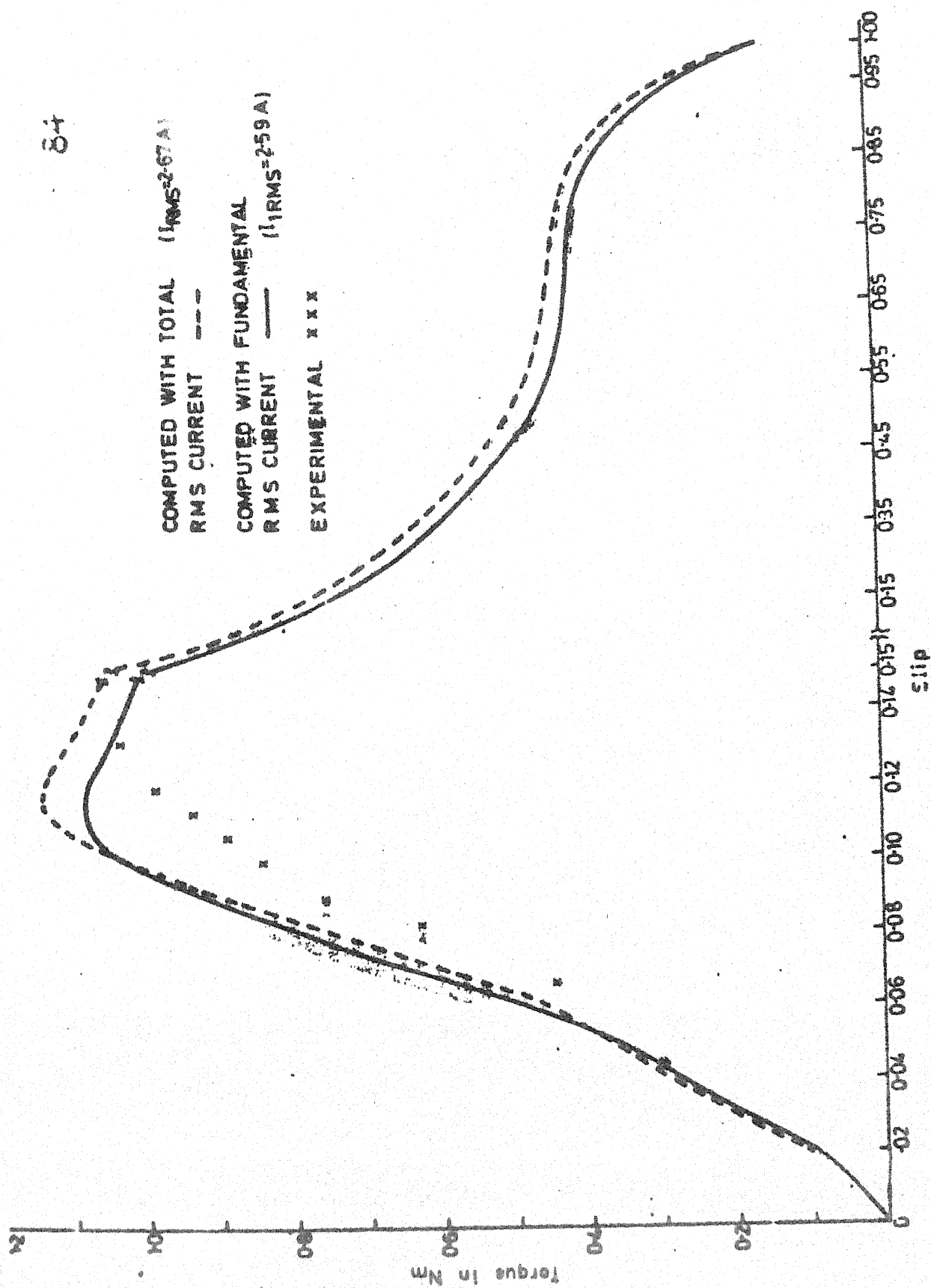


FIG 50 (b) TORQUE SPEED CHARACTERISTICS OF SINGLE PHASE MACHINE WITH  $I_d=1.2\text{ pu}$

COMPUTED WITH TOTAL  $(I_{RMS}=2.89A)$   
 RMS CURRENT ---  
 COMPUTED WITH FUNDAMENTAL  
 RMS CURRENT —  $(I_{RMS}=2.81A)$   
 EXPERIMENTAL x x x

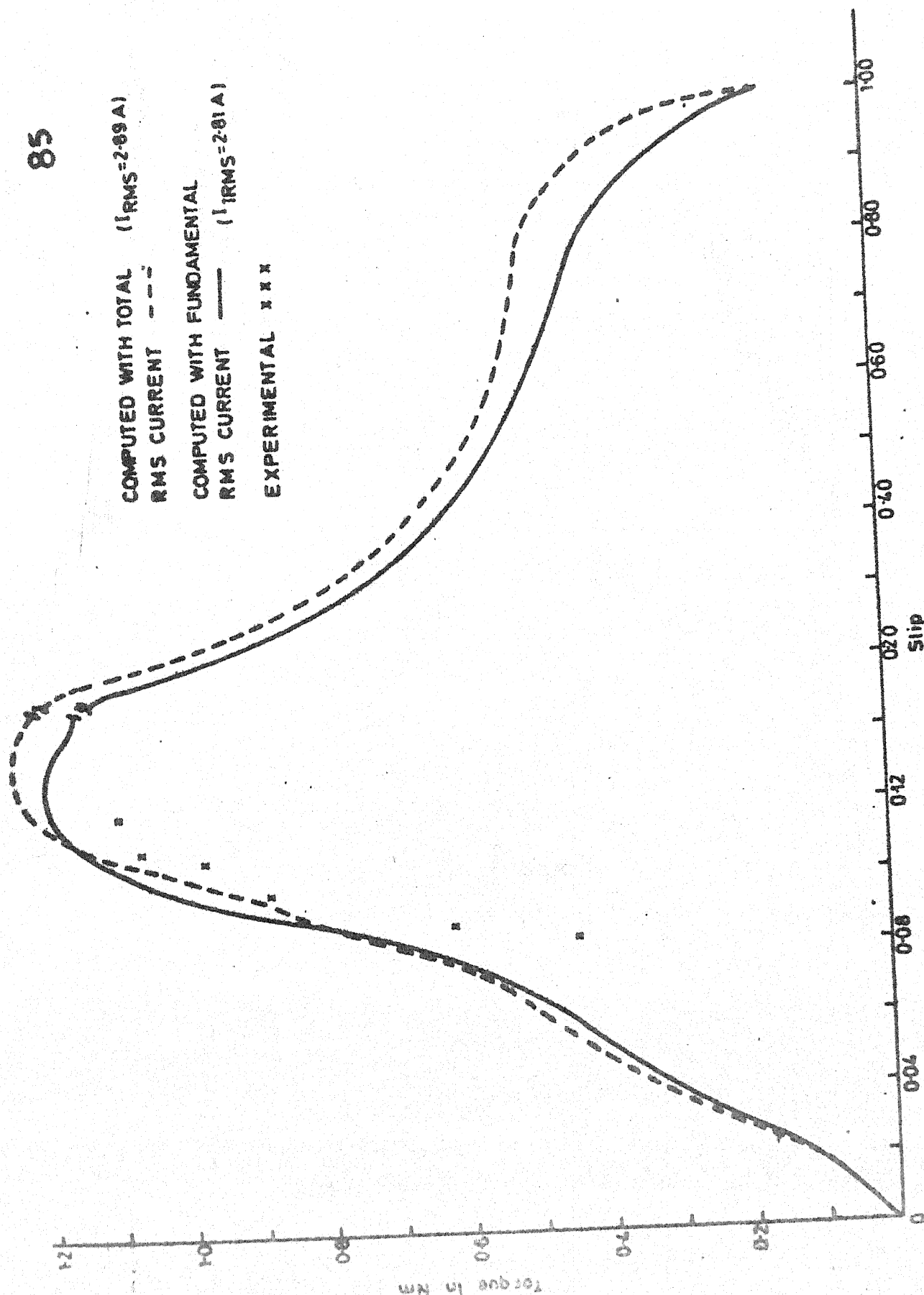


FIG-5-8 (a) TORQUE SPEED CHARACTERISTICS OF SINGLE PHASE MACHINE WITH  $L_d=13pu$ .

The deviation of the experimental results from the analytical values may be due to the error involved in the measuring procedures and the error in the parameters used for analysis. The other reason may be due to the assumption of the load current waveform to be a perfect square wave which is not really true in the practical circuit.

## 5.5 CONCLUSIONS

The analysis of the single-phase current source inverter using variable frequency is quite complex as the sequence of modes is not known before hand. But for affixed frequency, the modes remain constant with the change in direct link current. Thus the analysis for a constant frequency application becomes easier. The method of analysis suggested by W. McMurray has been used to get the various voltages and currents of the current source inverter.

The magnetizing reactance in the equivalent circuit of the induction <sup>motor</sup>, which gets saturated due to current source supply, is calculated. The effect of harmonic currents on the effective torque is also discussed. The method of calculating the speed-torque characteristics is described and theoretical and experimental results are compared. It is found that the harmonics currents do not appreciably contribute to the effective torque.

## CHAPTER 6

## CONCLUSIONS

A set-up chopper-inverter-induction motor drive is built for possible application to solar water pump. The function of the step-up chopper is to deliver constant voltage/current to the inverter even under low solar radiation levels. The drive system operated satisfactorily in the laboratory. Due to the non-availability of solar power source and centrifugal pump, actual field test could not be undertaken. However, the present study on a small model in the laboratory indicates that it is quite suitable for water pumping applications to the farmers.

The single-phase induction motor fed by the current source inverter has been analysed for the torque-speed characteristics using the equivalent circuit model. The experimental results of the load test are compared with the theoretical values. There appears to be close agreement between the experimental results and analytical results obtained using only the fundamental component of the motor current, since harmonic currents do not contribute much to the effective torque.

In the open loop system, the variation in source voltage is manually corrected using the chopper duty ratio control. Thus a closed loop study can be thought of as a future work.



With proper feedback, the link voltage or the load voltage can be kept constant. It will be interesting to perform an actual field test with the closed loop system for operational experience.

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## APPENDIX A

## DETERMINATION OF MACHINE PARAMETERS FROM TESTS

The following tests are conducted to determine the machine parameters :

- i) The d.c. resistance  $R_1$  of the stator winding shown in Fig. 5.3 is measured by the ammeter, voltmeter method. Taking skin effect into account,  $R_1$  is corrected by a factor of 1.6.
- ii) The machine is started up and with the starting winding disconnected, the input power  $P_0$ , voltage  $V$  and current  $I_0$  of the main winding are measured. The no-load speed of the motor is assumed to be very near synchronous speed. The test is usually conducted at rated voltage.
- iii) With the machine on no-load, the applied voltage is reduced and the corresponding input power is noted. If the voltage/power curve is extrapolated to zero of the voltage, the friction and windage losses can be estimated accurately.
- iv) With the starting winding disconnected and rotor locked, a reduced voltage is applied to the main winding. The input power  $P_1$ , voltage  $V_1$  and current  $I_1$  are noted. This is known as the short circuit or locked rotor test.

From the test results, it is now possible to calculate the approximate values of the parameters. Thus from the locked rotor test,

$$\frac{V_1}{I_1} = Z_1 = R_1 + j X_1 = (R_1 + 2R_2) + j (X_1 + 2 X_2)$$

$$\frac{P_1}{I_1^2} = R_1 = R_1 + 2R_2$$

$R_1$  being known, we get  $R_2$  from the above eqn.

$$(X_1 + 2X_2)^2 = \left(\frac{V_1}{I_1}\right)^2 - \left(\frac{P_1}{I_1^2}\right)^2$$

With the assumption that  $X_1 = 2X_2$  i.e. stator leakage reactance is equal to the rotor leakage reactance is made, thus  $X_1$  and  $X_2$  are known.

Also from no-load test,

$$\frac{V}{I_0} = Z_0 = R_0 + j X_0 = (R_1 + \frac{1}{2}R_2) + j(X_1 + X_2 + X_m)$$

$$\frac{P_0}{I_0^2} = R_0 = R_1 + \frac{R_2}{2}$$

and

$$X_0 = \sqrt{Z_0^2 - R_0^2}$$

$$X_m = X_0 - (X_1 + X_2)$$

Thus the complete equivalent circuit parameters are calculated.